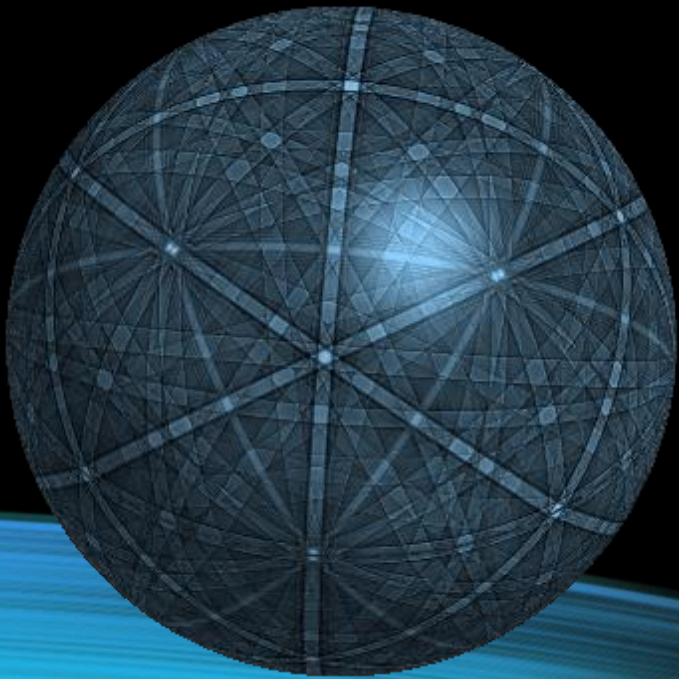


*W: <http://www.expmicromech.com>; T: @bmatb

ADVANCING ORIENTATION ANALYSIS



Vivian Tong¹, Jim Hickey¹, Euan Wielewski², Jun Jiang¹, Yi Guo³, Arantxa Vilalta-Clemente³, David Wallis⁴, Lars Hansen⁴, Aimo Winkelmann⁵, Angus Wilkinson³, and **T.B. Britton***¹

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2. Department of Engineering, University of Glasgow, UK
3. Department of Materials, University of Oxford, UK
4. Department of Earth Sciences, University of Oxford, UK
5. Bruker Nano, Berlin, Germany

BIG QUESTIONS 🤔



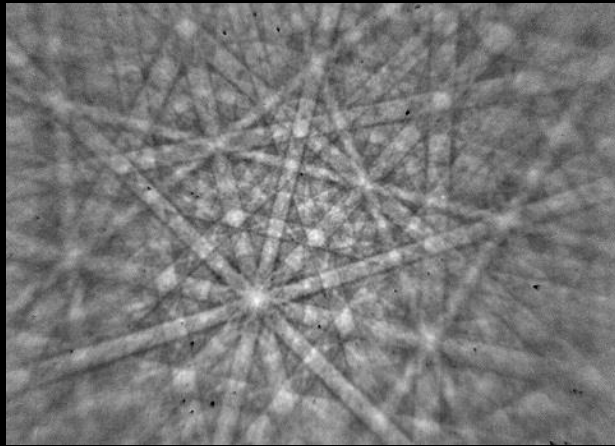
How does it squish/break?
💪 & ❤️ → 💔



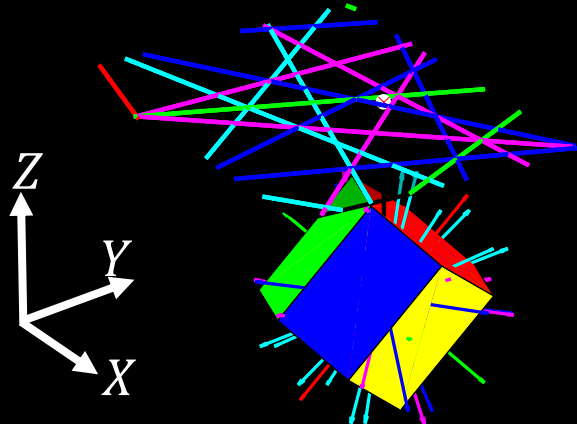
How does it change?
💖 & ❤️ 🟢 🟡 & ❤️ → 💖 🟢 🟡

WHAT DOES EBSD MEASURE?

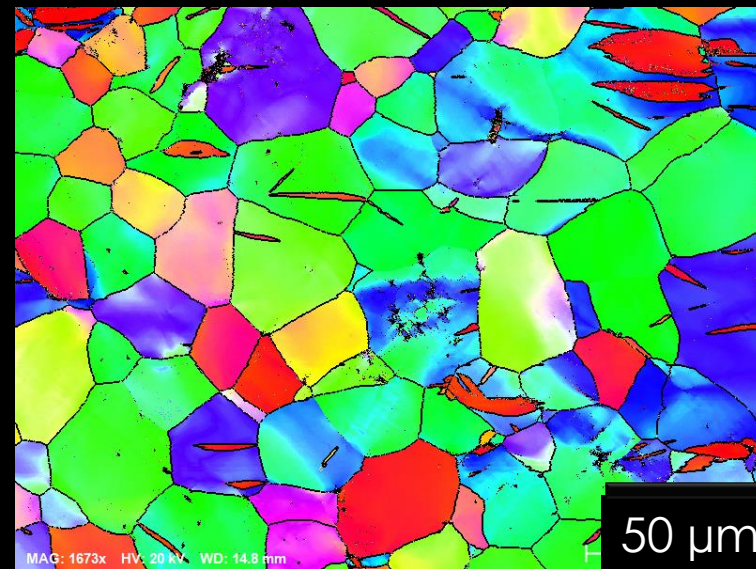
1. **Collect:** Diffraction pattern



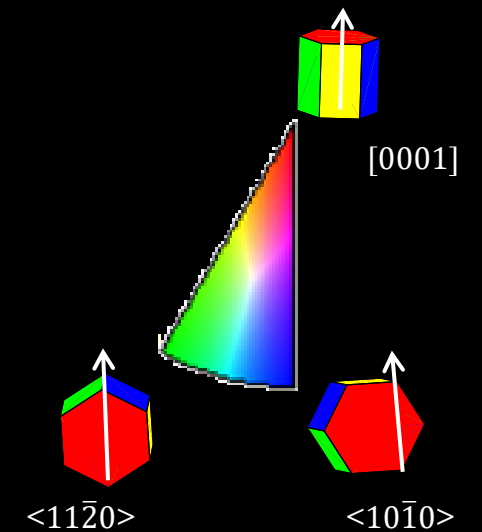
2. **Measure:** Crystal information



3. **Repeat & create map:**
Orientations in microstructure

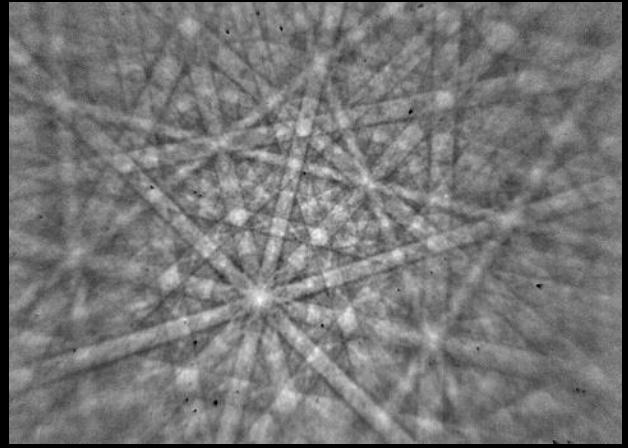


IPF-LD



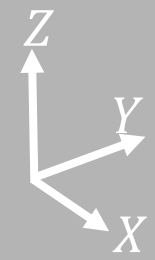
WHAT DOES EBSD MEASURE?

1. Collect: Diffraction pattern



2. Measure: Crystal orientation

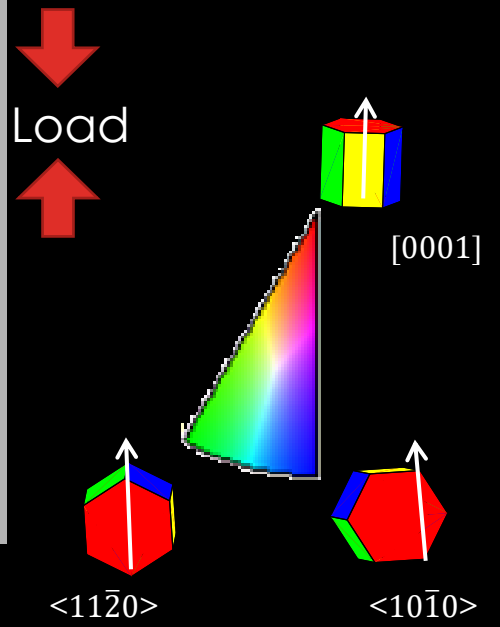
QUANTITATIVE



3. Repeat & create map:
Orientations in microstructure

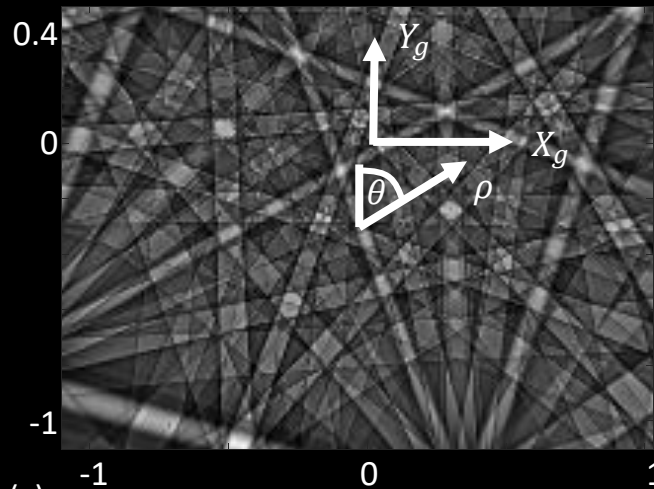


IPF-LD

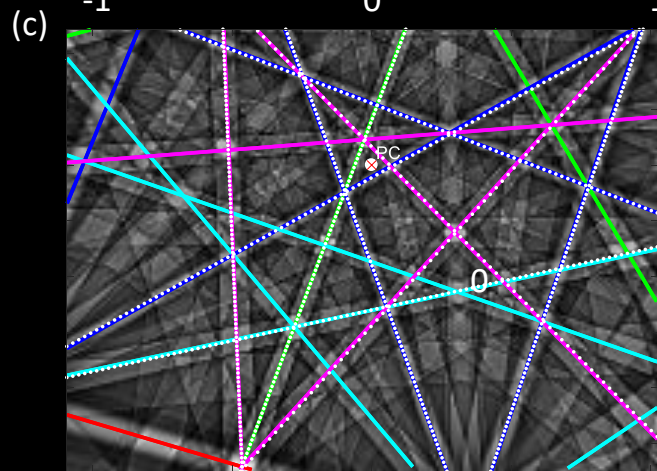
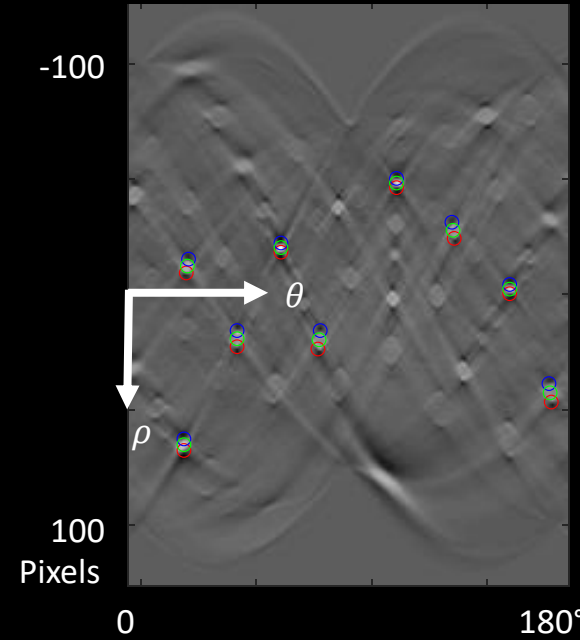


CONVENTIONAL EBSD

(a) Input Pattern & Coordinate Systems

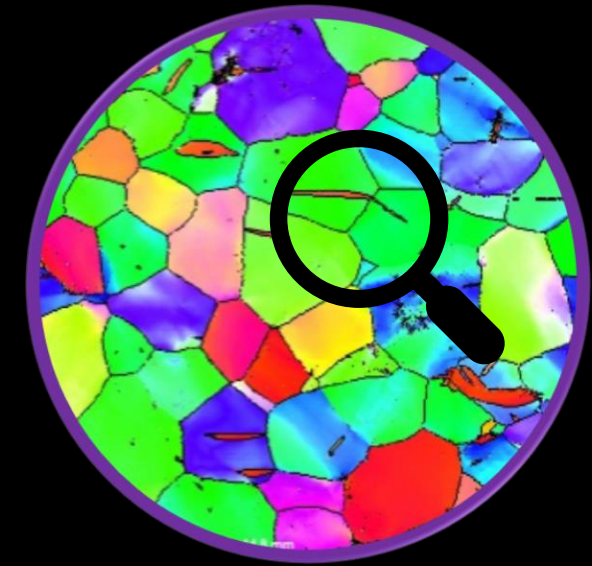
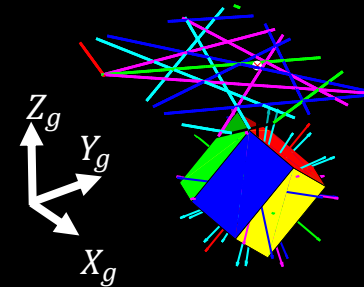
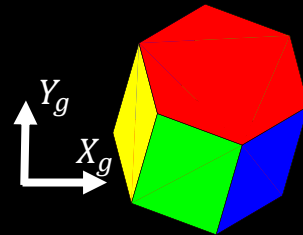


(b) Radon Transform, with Peaks



.....	Detected
—	{0001}
—	{12̄10}
—	{101̄1}
—	{1̄103}
—	{1̄12̄12}

(d) Crystal Orientation: $(\phi_1, \Phi, \phi_2) = (-16^\circ, 140^\circ, 36^\circ)$
[in detector frame]





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journal homepage: www.elsevier.com/locate/matchar



Tutorial: Crystal orientations and EBSD – Or which way is up?



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A. Winkelmann ^d, A.J. Wilkinson ^b

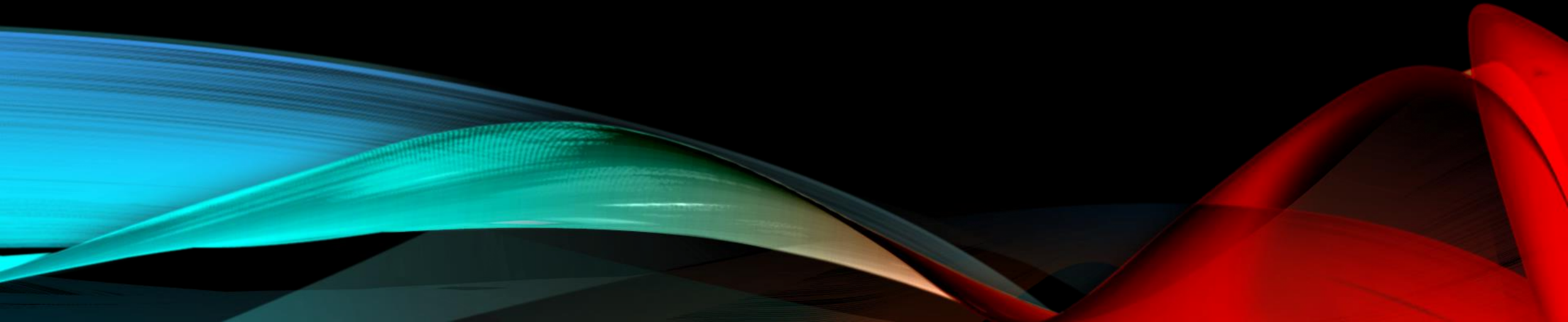
^a Department of Materials, Imperial College London, Prince Consort Road, SW7 2AZ, United Kingdom

^b Department of Materials, University of Oxford, Parks Road, OX1 3PH, United Kingdom

^c Department of Earth Sciences, University of Oxford, South Parks Road, OX1 3AN, United Kingdom

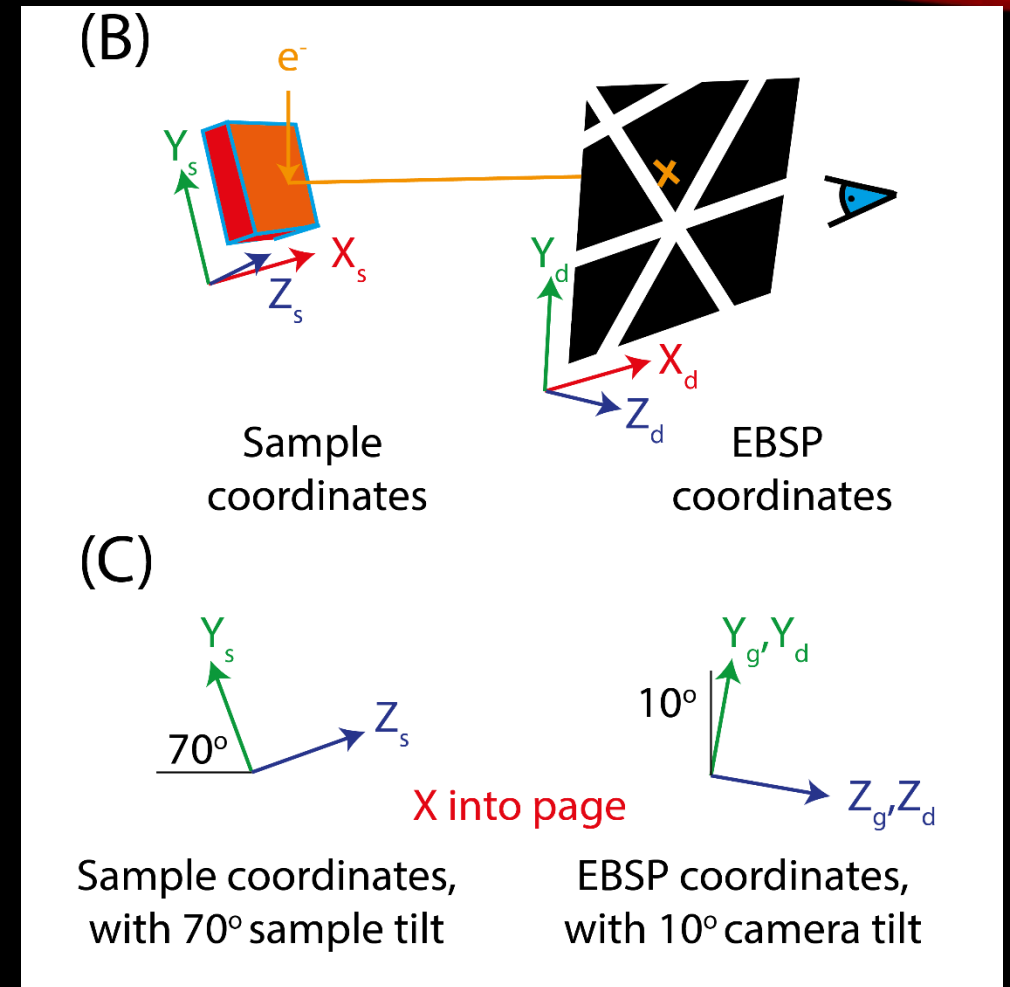
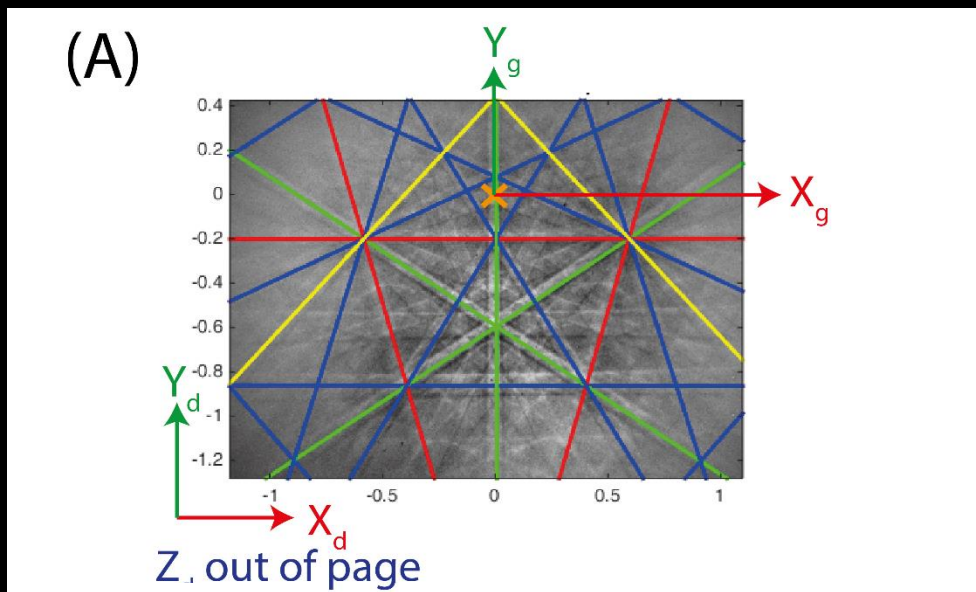
^d Bruker Nano GmbH, Am Studio 2D, 12489 Berlin, Germany

WARNING: THE FOLLOWING IS SPECIFIC TO
ONE SYSTEM – THE METHOD IS GENERAL

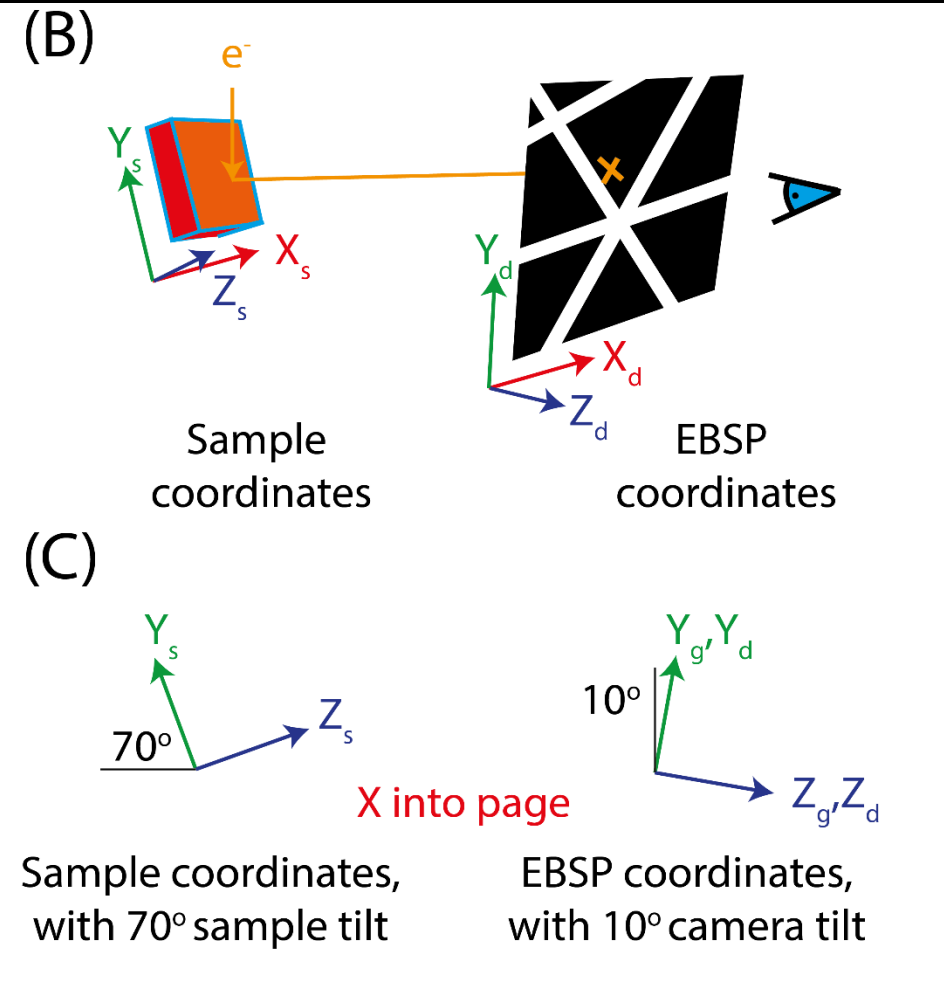
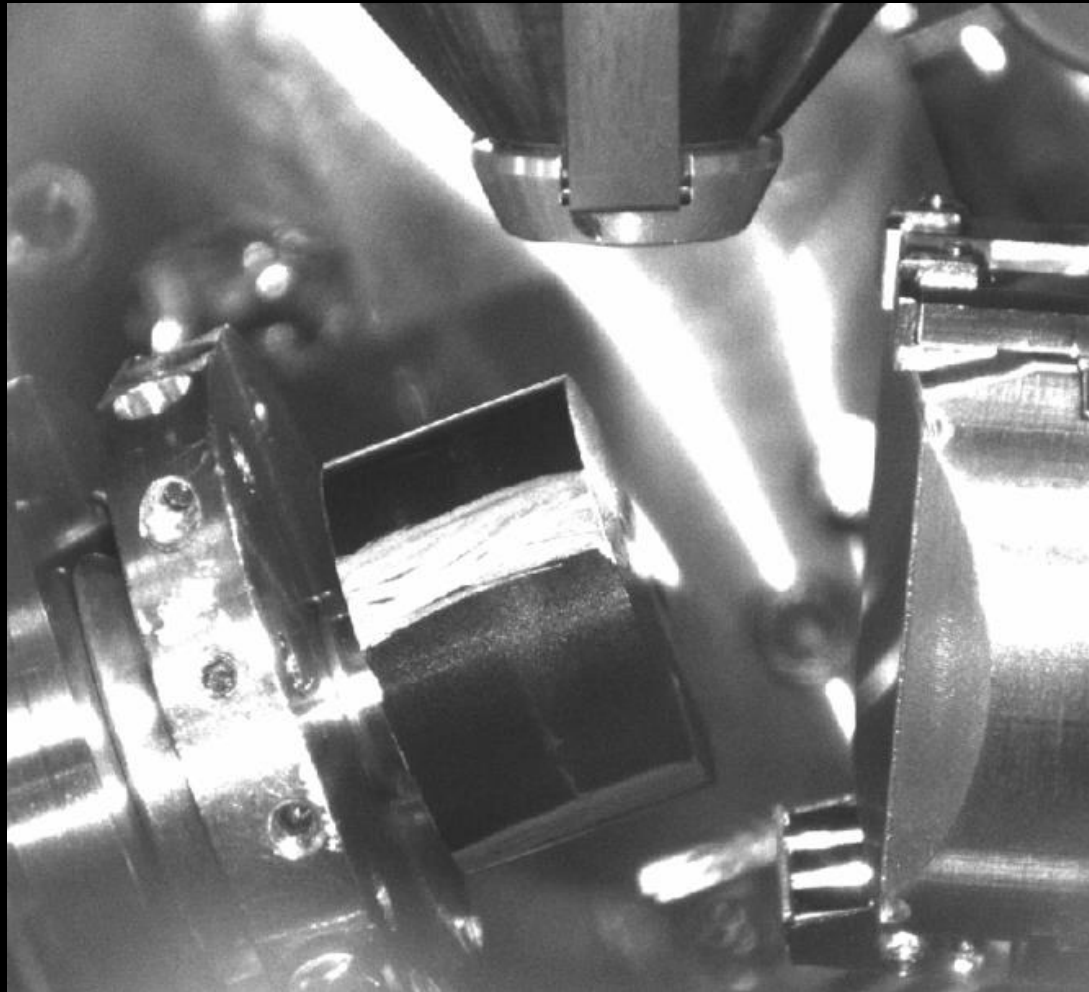


COORDINATE SYSTEMS

- EBSD has many coordinate systems
 - Diffraction pattern (image, gnomonic)
 - The crystal to diffraction pattern
 - Sample coordinate system
 - Sample to crystal
 - Pole figures, tensors, properties...



MICROSCOPE AND EBSD CAMERA



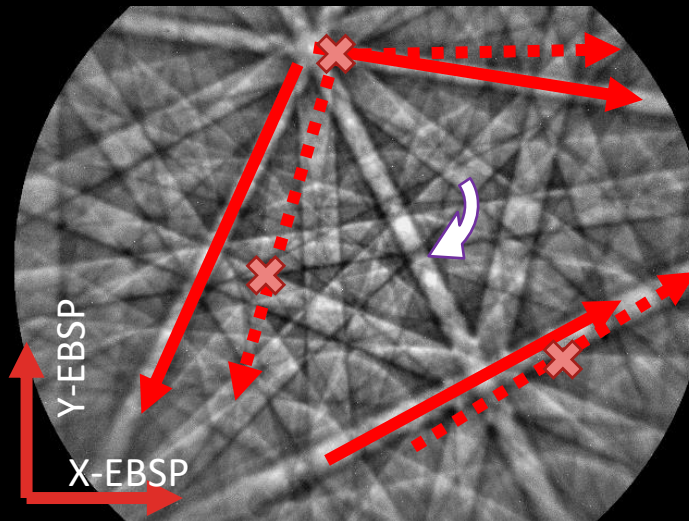
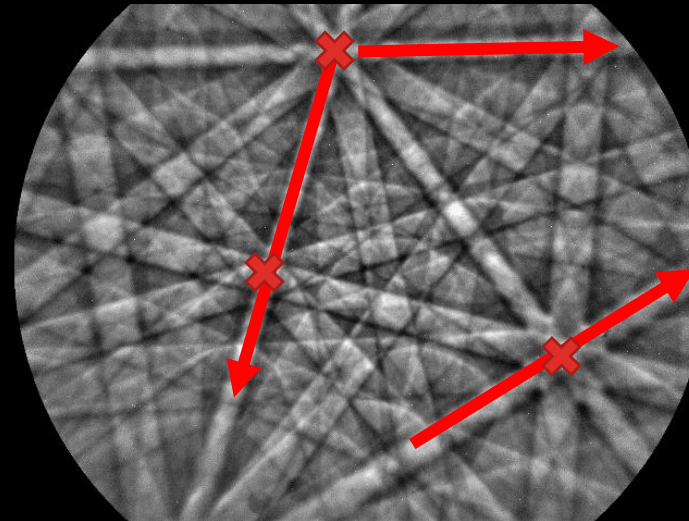
CONVENTIONS

- Z points out of the sample
- The 2D map is orthogonal
- X, Y and Z form a right handed set

- Indexing happens with respect to a reference crystal
 - within the diffraction pattern
 - relate this to the beam scanning
 - can relate to features, i.e. the sample or a grain boundary

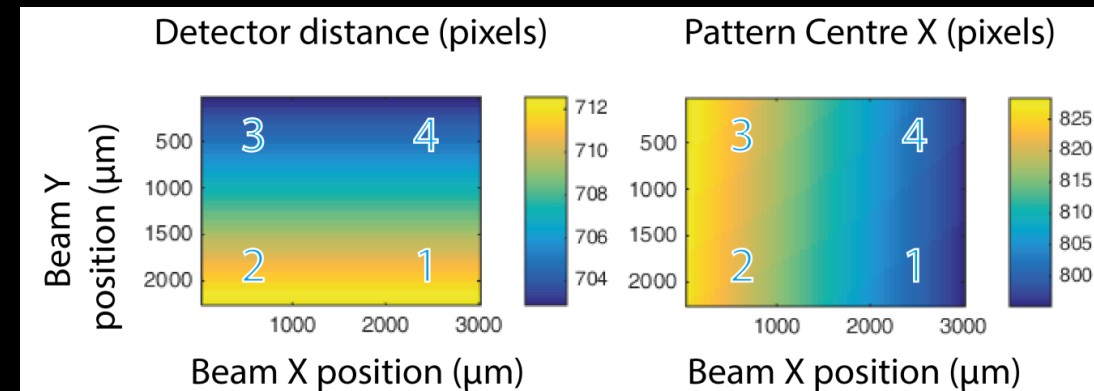
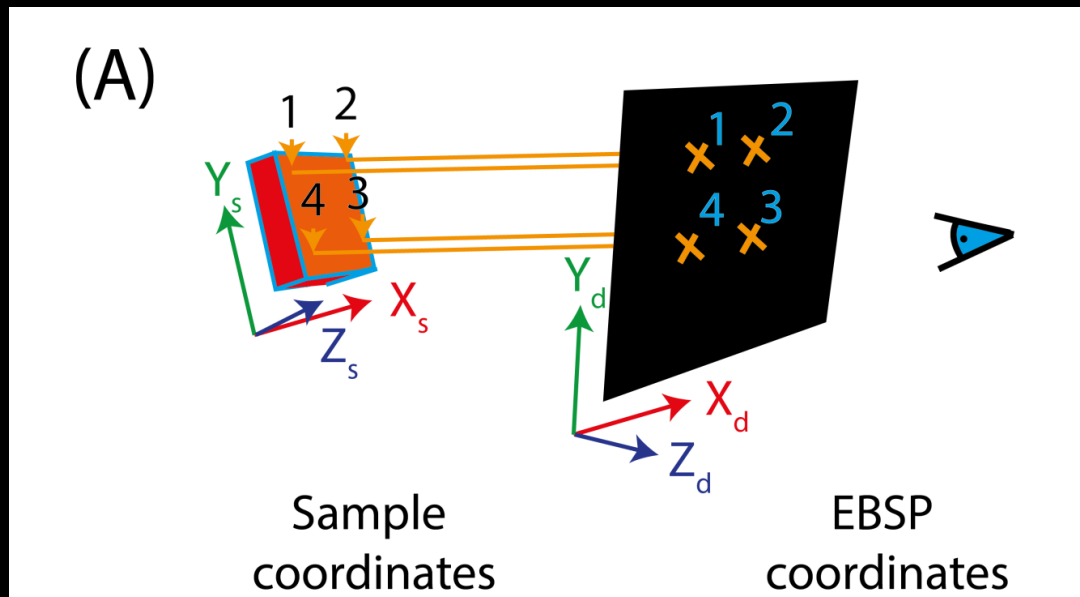
- How do we link beam scanning directions – i.e. the mapping settings – to the EBSD pattern?
 - Rotate the sample & see how the pattern + sample change

ROTATION TEST

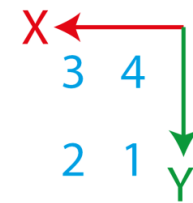


CHECKING SCANNING

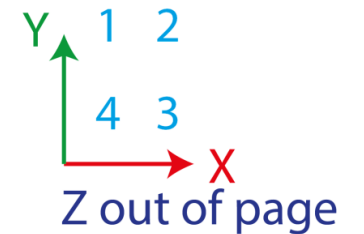
- We can follow the pattern centre movement
 - Pattern centre = shortest distance between sample & detector
 - Use PCx and DD



(C) Z out of page



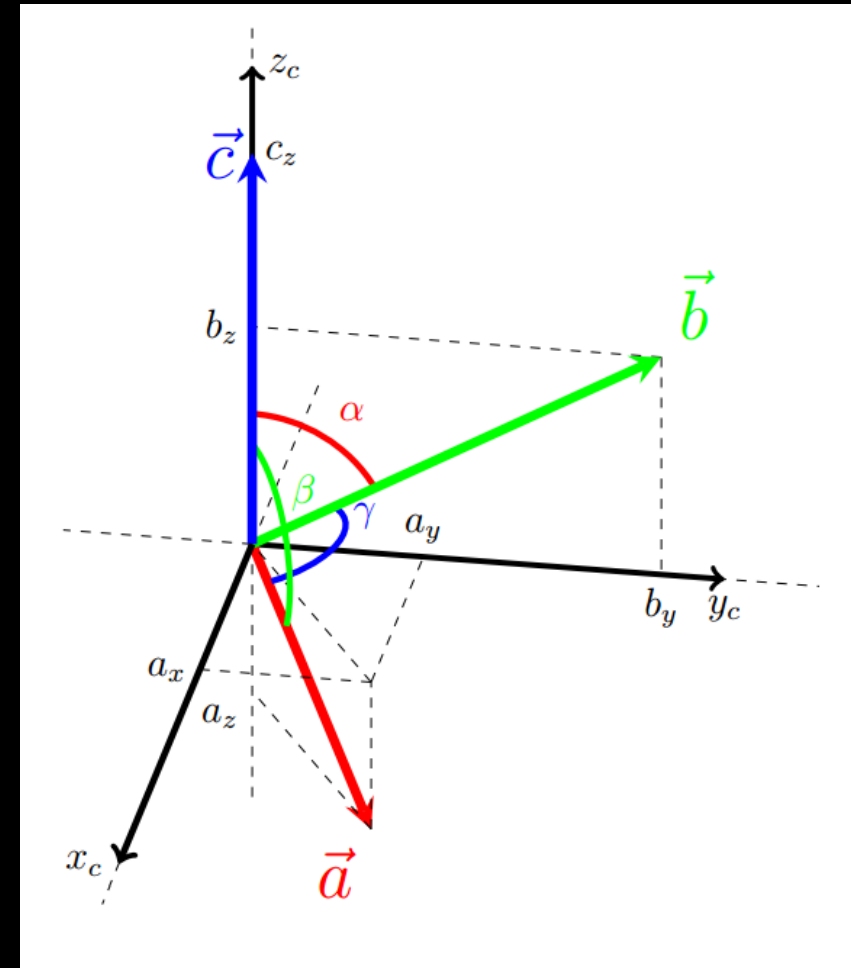
EBSP axes for
overlay on SE maps



EBSP axes for overlay
on diffraction patterns

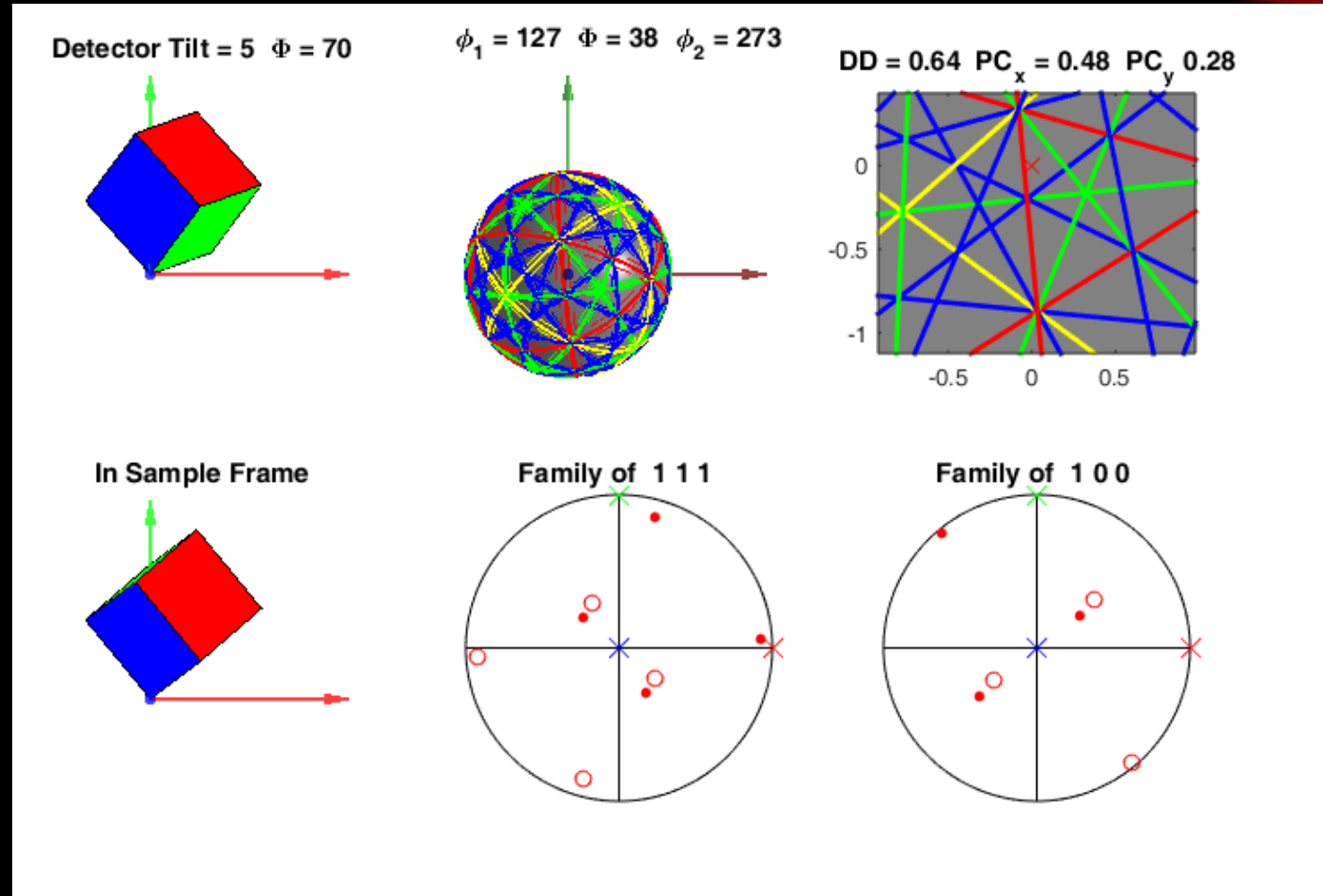
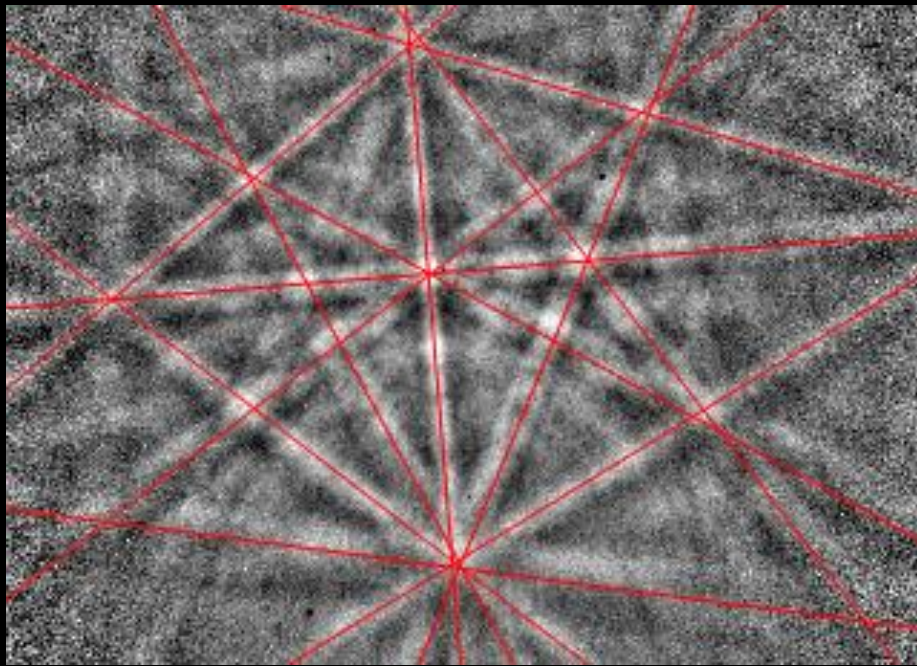
ESTABLISH A CRYSTAL FRAME

- We need to describe the reference crystal
 - Link a cartesian axis system to the crystal axis system
 - i.e. relationship between X, Y, C and a, b, c (and a^*, b^*, c^*)
- In our convention, used by at least one manufacturer
 - \mathbf{a} , \mathbf{b} and \mathbf{c} form a right handed set.
 - \mathbf{c} is parallel to the Z_C axis.
 - \mathbf{b} lies in the y_C-z_C plane, at an angle α to \mathbf{c}
 - \mathbf{a} is pointed such that it is an angle β to \mathbf{c} and γ to \mathbf{b} .
- Equations are in the tutorial paper, and python + matlab scripts, and full maths is in the PDF supplementary article



PATTERN + ORIENTATION CHECK

- $X = R, Y = G, Z = B$

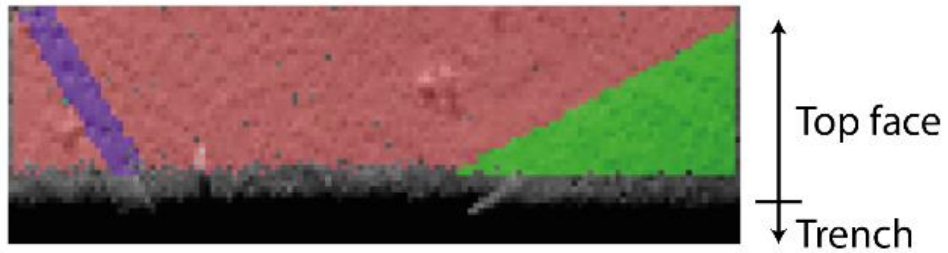


CRYSTAL CHECKING

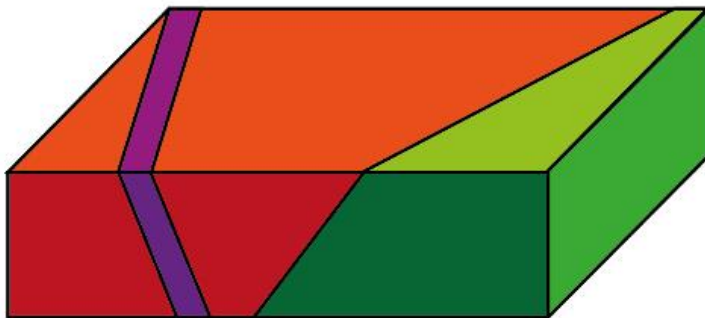
- The 180° rotation 'problem' will change the direction of axes out of plane
 - Even in cubic
- Need to have a crystallographic feature we know & can link between the sample + scanning frames, to the EBSD frame
- Use a coherent twin in FCC – $60^\circ\{111\}$ twinning plane (ABCBC stacking)
 - Plot the plane trace & use a FIB to look at the subsurface trace
- Also need to check lower symmetry materials
 - does the cartesian to crystal axis work?

OUT OF PLANE TESTING

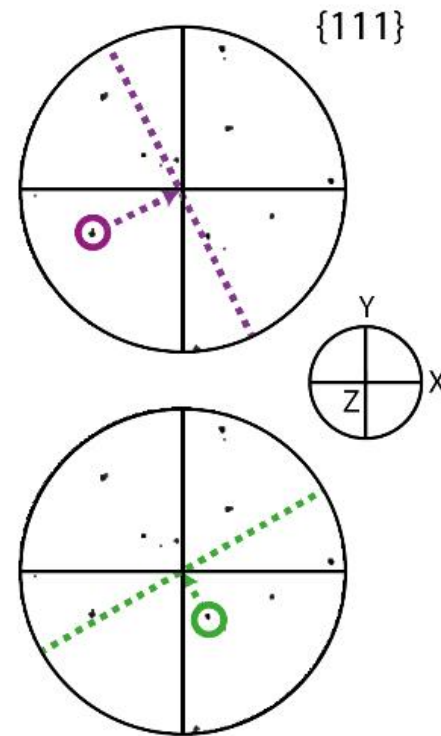
(A) Secondary electron micrograph and IPF Z



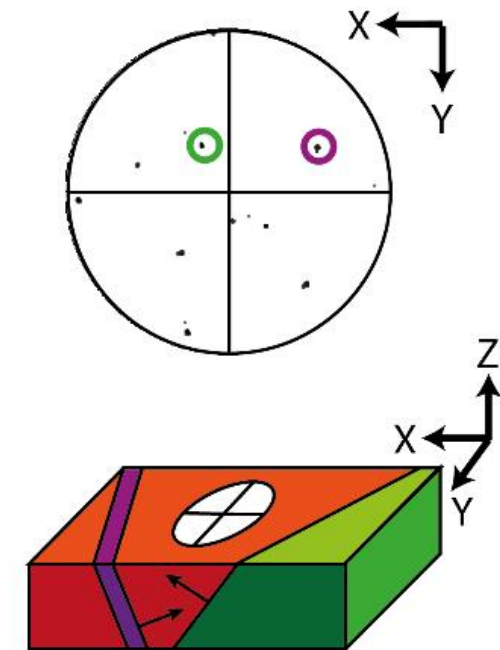
(B) 3D schematic of twinned region



(C) Surface trace analysis

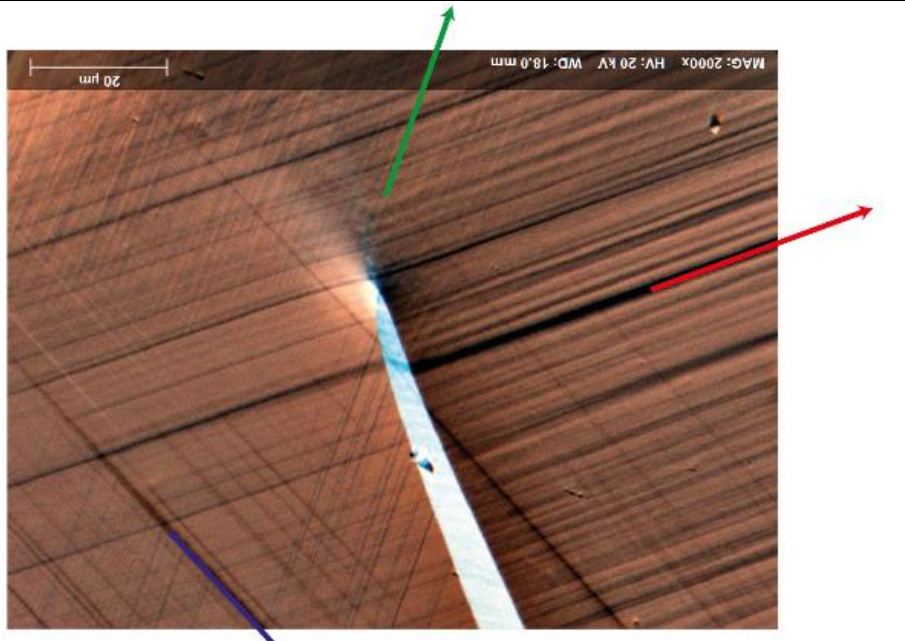


(D) Consistent description of subsurface trace (180° rotation of pole figure)

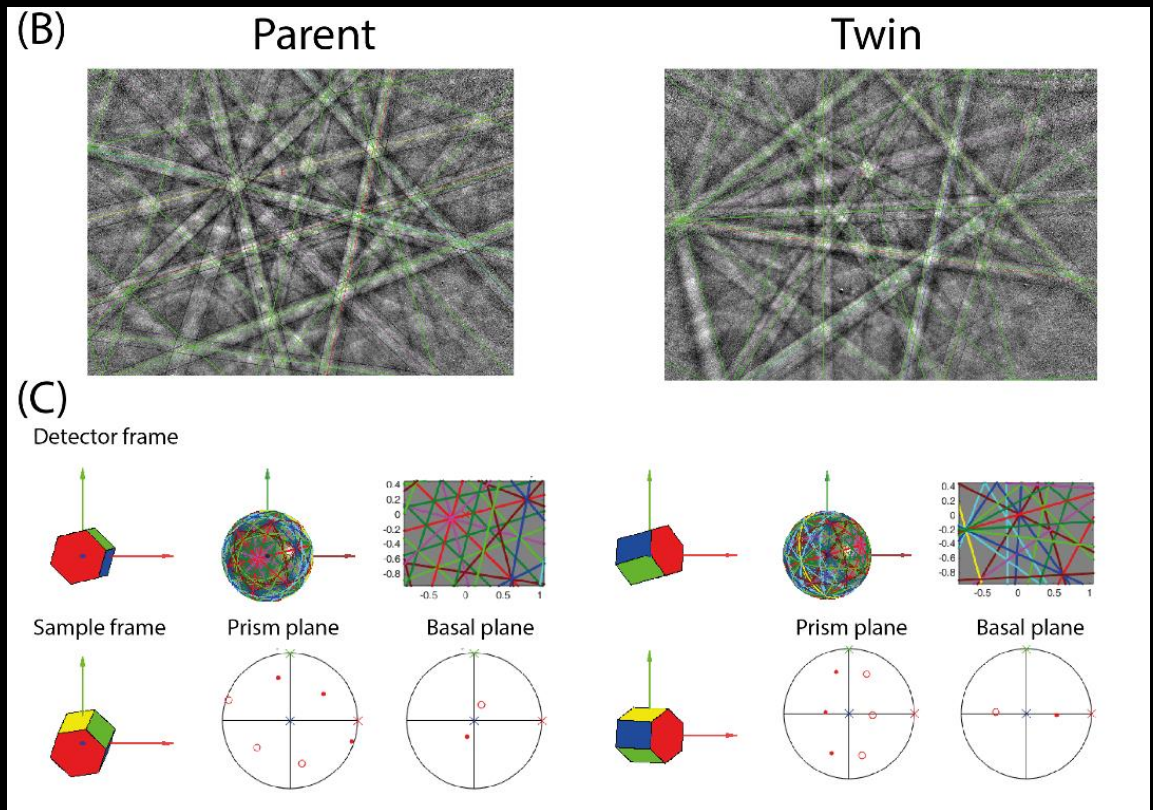
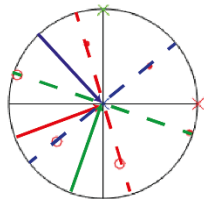


CONSISTENCY CHECK – LOWER SYMMETRY

- Titanium T1 type twin – check the slip traces



Slip trace analysis - prismatic $\langle a \rangle$ (parent)



1

Establish sampling coordinate system

- Scan silicon wafer and record pattern centre motion / pattern shifts
- Describe consistent coordinate system for detector & specimen

2

Establish consistent rotation of pattern and sample

- Rotate sample about specimen normal and record secondary electron micrograph and EBSPs
- Compare feature and diffraction pattern motion and confirm use of right handed set

3

Establish description of lower symmetry unit cell

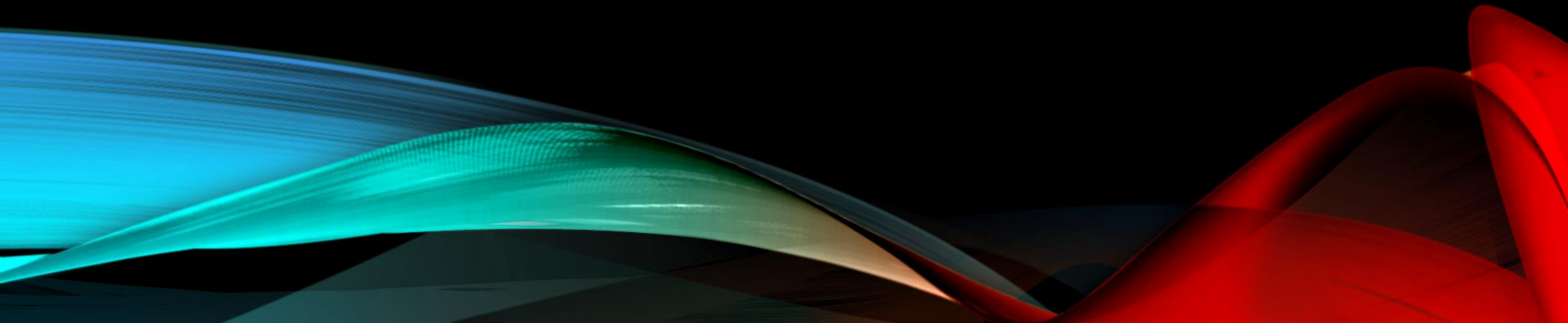
- Capture and record diffraction pattern from crystal and match with sample feature (e.g. slip bands)
- Simulate diffraction pattern using low symmetry simulation code

4

Validate out of plane convention, pole figure use and crystallographic feature analysis

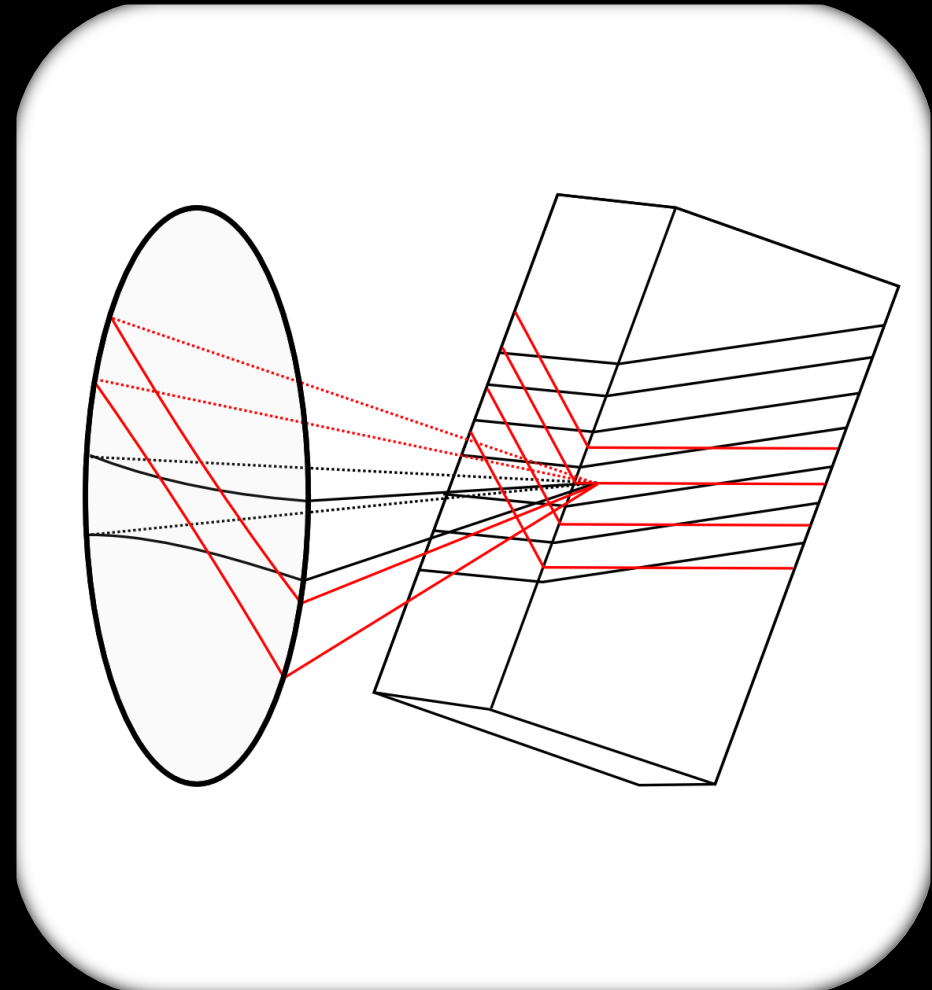
- Sample 3D microstructure with a specific crystallographic feature (e.g. annealing twins)
- Compare crystallographic feature with microstructure map (e.g. with pole figures)

HIGH RESOLUTION EBSD



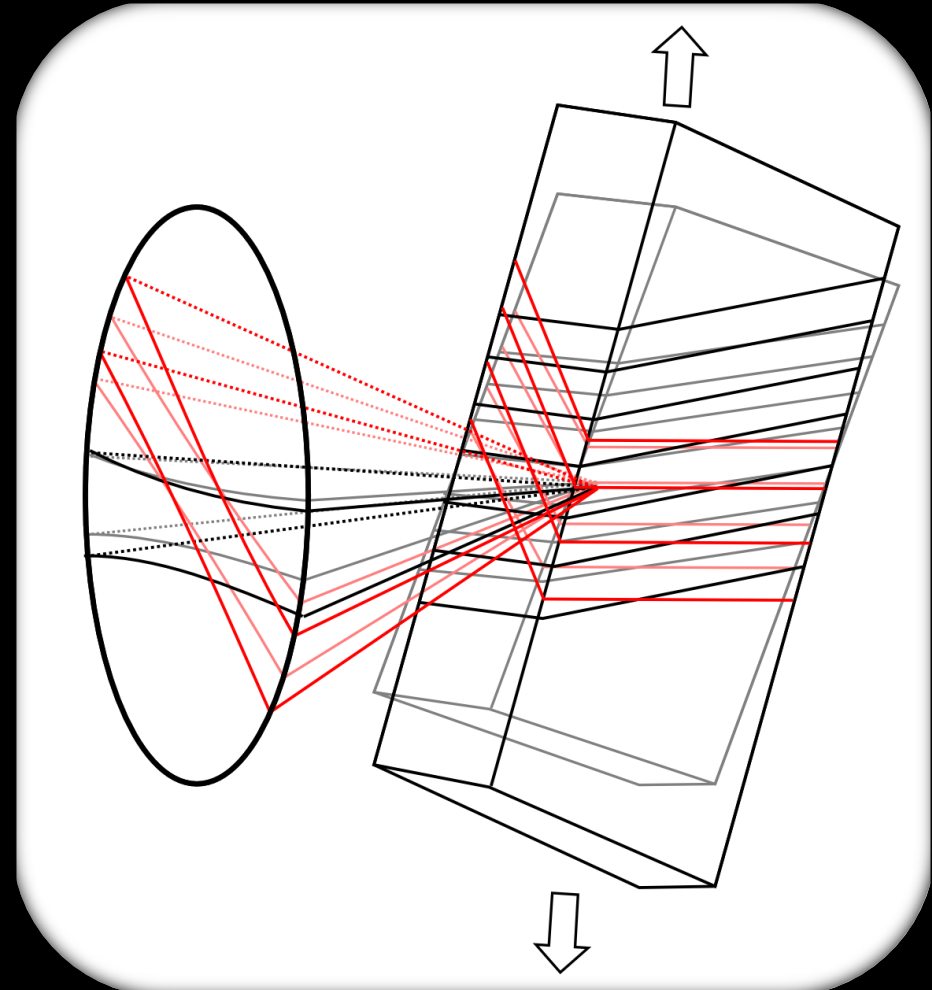
HR-EBSD: ACCESSING STRAIN

- EBSD = direct projection of crystal lattice



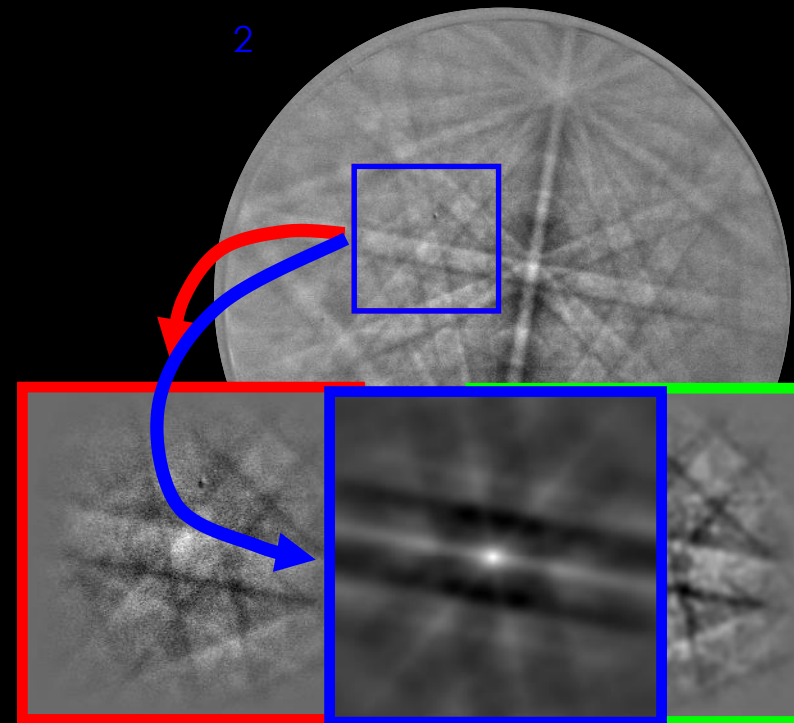
HR-EBSD: ACCESSING STRAIN

- EBSD = direct projection of crystal lattice
- Strain crystal, pattern changes
 - Interplanar angles change

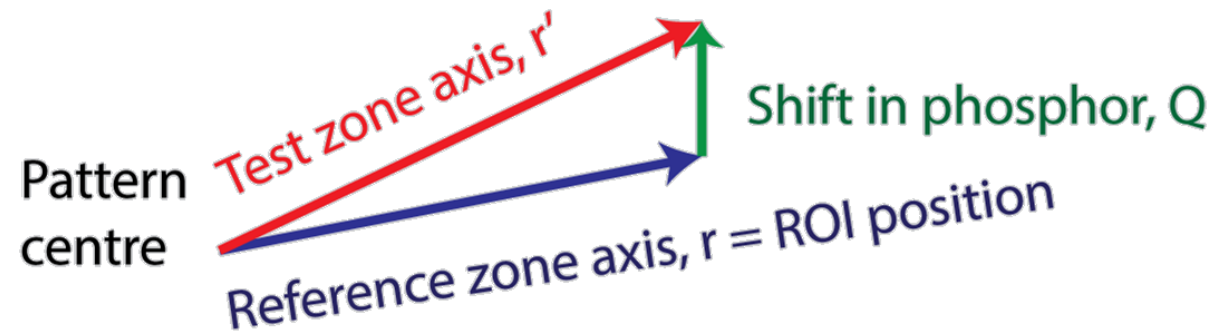


HR-EBSD: MEASURING SHIFTS

- 20+ ROI used (offline)
 - Select ROIs → FFT
 - Apply filter
- Compare unstrained (1) vs strained (2) pattern
 - Upsample peak in XCF of ROI
 - xshift= -6.06 (pixels)
 - yshift= -4.59
- 'Just' an educated 'guess' of the translation vector between test & reference



HR-EBSD: SHIFTS \rightarrow STRAINS



$$r_x(A_{xx} - A_{zz}) + r_y A_{xy} + r_z A_{xz} + \frac{r_x r_x}{r_z} A_{zx} + \frac{r_y r_x}{r_z} A_{zy} = Q_x$$

$$r_x A_{yx} + r_y(A_{yy} - A_{zz}) + r_z A_{yz} + \frac{r_x r_y}{r_z} A_{zx} + \frac{r_y r_y}{r_z} A_{zy} = Q_y$$

Infinitesimal:

$$\omega = \frac{1}{2}(A - A^T)$$

$$\varepsilon = \frac{1}{2}(A + A^T)$$

Finite:

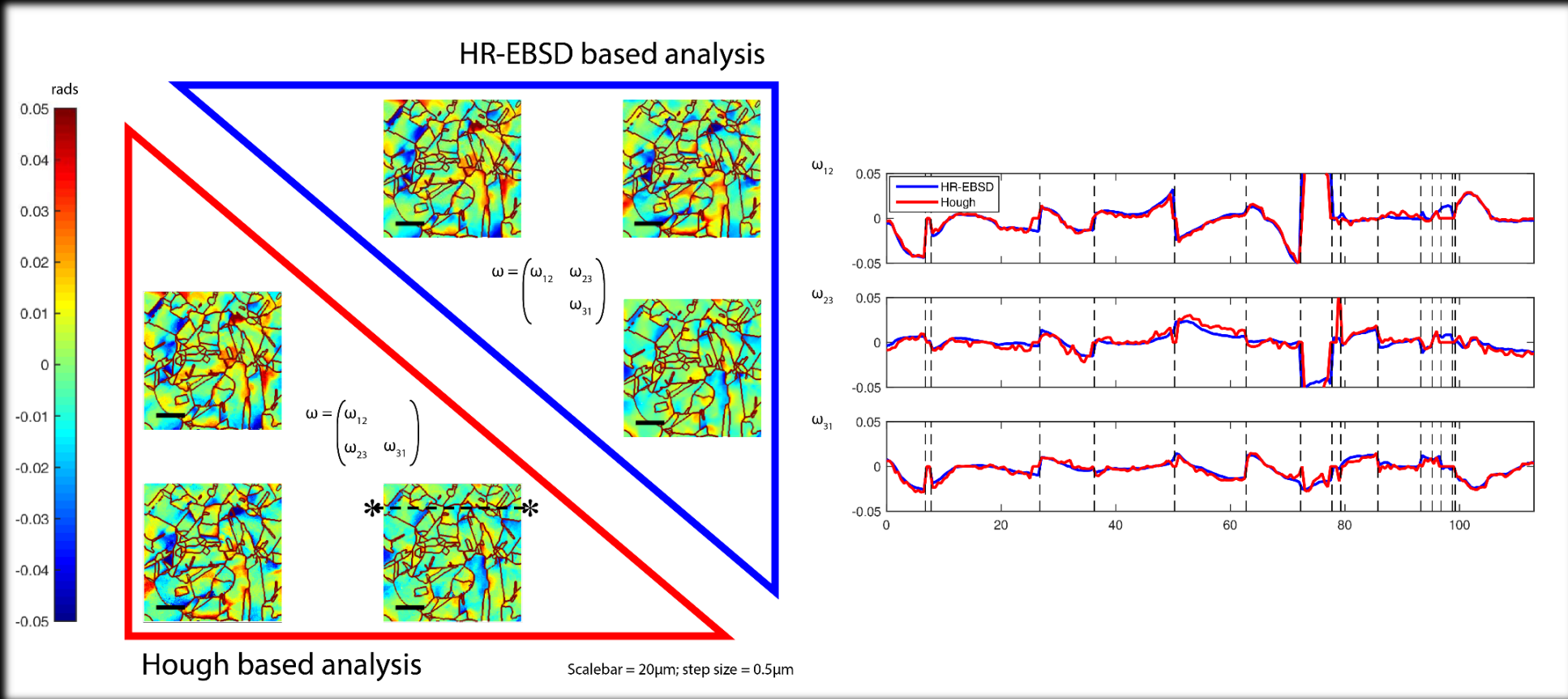
Deformation gradient \rightarrow $F = A + I = U\Sigma V^*$ Displacement gradient \rightarrow

$\varepsilon = \frac{1}{2}(F^T \cdot F - I)$ Finite rotation \rightarrow $R = UV^*$

CONVENTIONAL EBSD VS HR-EBSD

	Conventional-EBSD	HR-EBSD
Absolute Orientation	~2°	No
Misorientation	~0.1 to 0.5°	~0.006° (1x10 ⁻⁴ rads)
Deformation –		
GNDs @ 1µm step	> 3x10 ¹³	> 3x10 ¹¹
GNDs @ 100nm step in lines / m² (b = 0.3nm)	> 3x10 ¹⁴	> 3x10 ¹²
Relative elastic strain	No	Deviatoric strain ± 1x10 ⁻⁴
Relative residual stress (Type III – within grain)	No	Anisotropic Hooke's law ± 20 MPa (E=200GPa)
Example tasks:	Microstructure, Texture, Grain size, etc.	Deformation i.e. elastic strain, misorientation & residual dislocation content

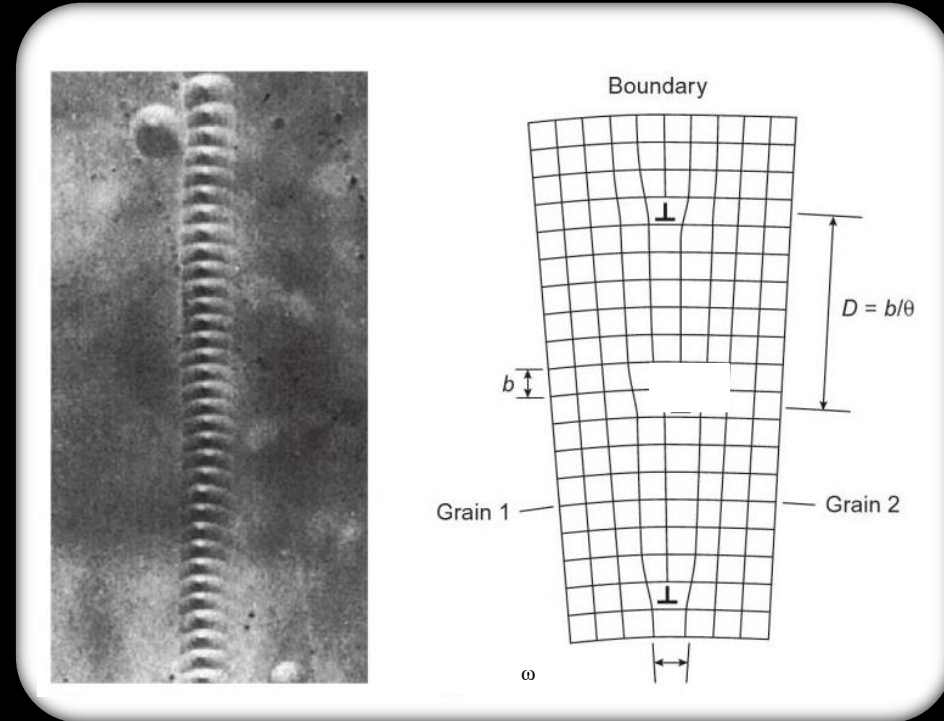
EBSD VS HR-EBSD



- EBSD vs HR-EBSD
= similar trends, but different details

MEASURING DISLOCATION CONTENT (GNDS)

- Map lattice rotations
- Calculate curvature
 - $K_n = d\omega_{ij}/dx_k$
- Nye's dislocation tensor [1] relates curvature to dislocation content



Etch pits revealing a low angle grain boundary containing an array of geometrically necessary dislocations (GNDs)

[From Hull and Bacon, Introduction to Dislocations]

CURVATURES & DENSITIES

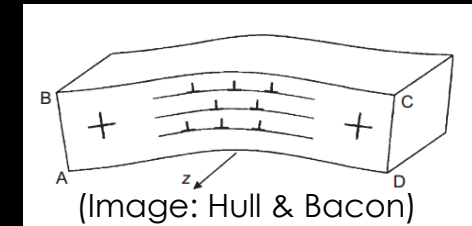
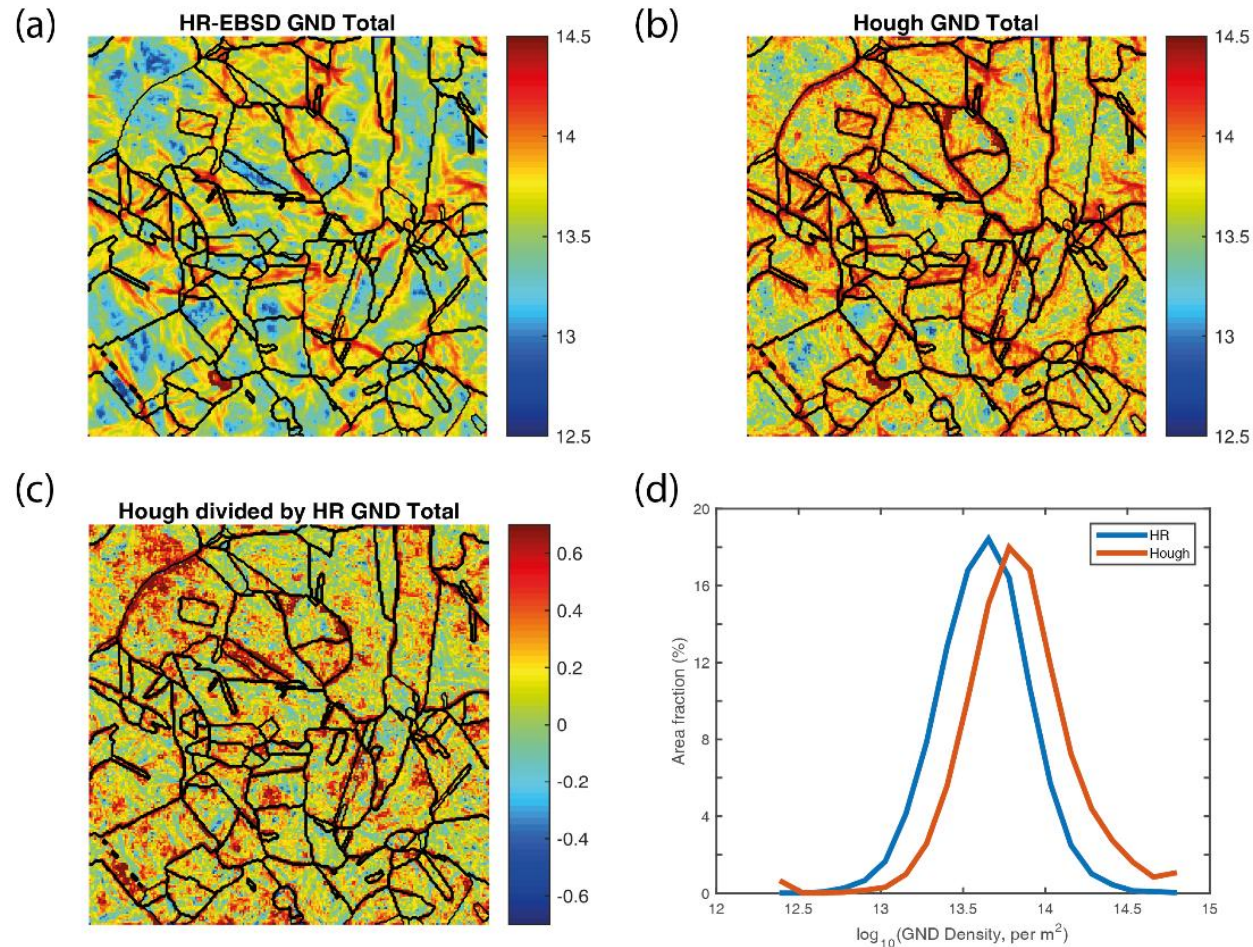
- FCC = 18 dislocation types
 - 6 screw, 12 edge
- (often*) overdetermined problem
- Solve with physically motivated minimisation:
 - use linprog & weight according to line energies

$$\begin{pmatrix} b_1 l_1 - \frac{1}{2} \mathbf{b} \cdot \mathbf{l} & \rightarrow \mathbf{S}^{\text{th}} \\ b_1 l_2 \\ b_1 l_3 \\ b_2 l_1 \\ b_2 l_2 - \frac{1}{2} \mathbf{b} \cdot \mathbf{l} \\ b_2 l_3 \end{pmatrix} \begin{pmatrix} \rho \\ \mathbf{S}^{\text{th}} \end{pmatrix} = \begin{pmatrix} \partial \omega_{23} / \partial x_1 \\ \partial \omega_{31} / \partial x_1 \\ \partial \omega_{12} / \partial x_1 \\ \partial \omega_{23} / \partial x_2 \\ \partial \omega_{12} / \partial x_2 \\ \partial \omega_{23} / \partial x_2 \end{pmatrix}$$

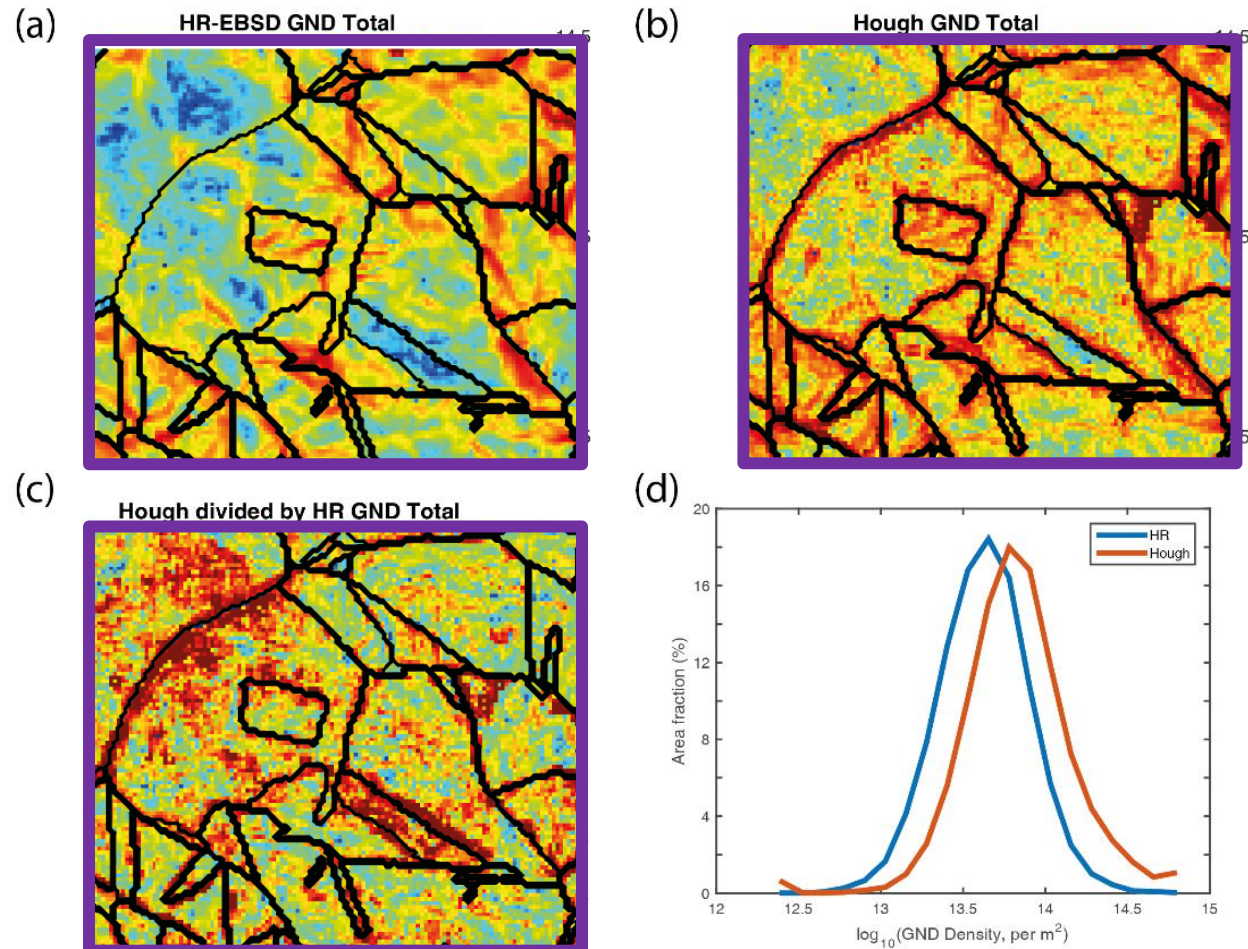
$$A \begin{pmatrix} \rho \\ \mathbf{S}^{\text{th}} \end{pmatrix} = K$$

*Except in low symmetry materials, like rocks – see Wallis et al. (2016) *Ultramicroscopy*

DEFORMATION - DETAILS MATTER



DEFORMATION - DETAILS MATTER

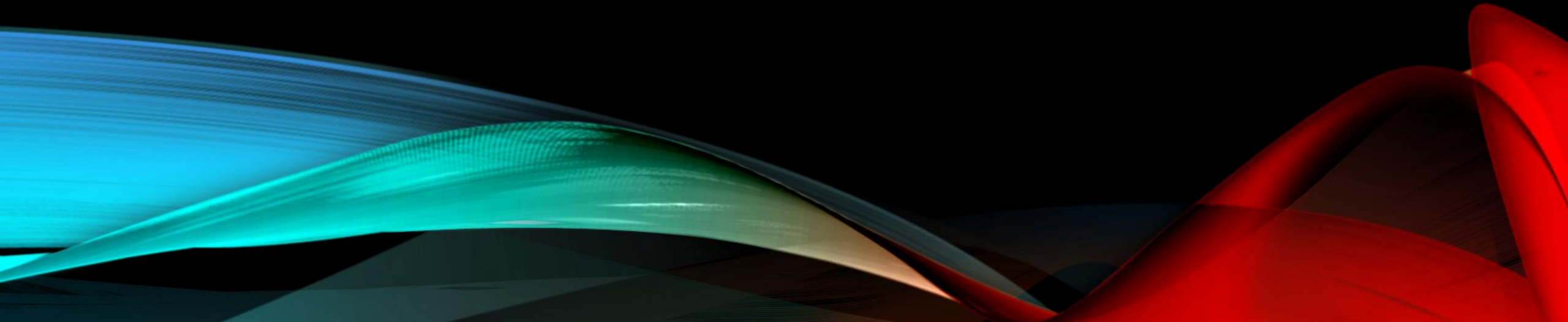


SUMMARY – EBSD COMPARED

- EBSD = orientations + phase
 - Limited misorientation accuracy → issues for GND assessment
 - But easy to measure large misorientation + quick
- HR-EBSD = comparison of two+ patterns
 - Elastic strain
 - Lattice misorientation

HIGH RATE ZR DEFORMATION

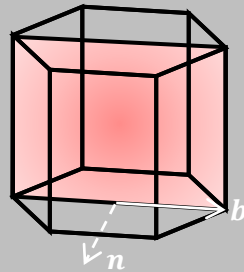
Vivian Tong, Euan Wielewski, and Ben Britton



SLIP IN ZR

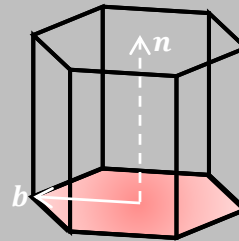
Lowest CRSS (RT, quasi-static deformation)

$\langle a \rangle$ prismatic slip



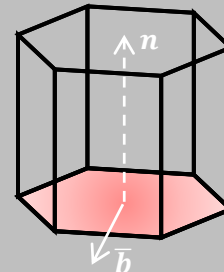
$$n = (1\bar{1}00) \\ b = [11\bar{2}0]$$

$\langle a \rangle$ basal slip

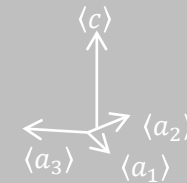


$$n = (0001) \\ b = [\bar{1}\bar{1}20]$$

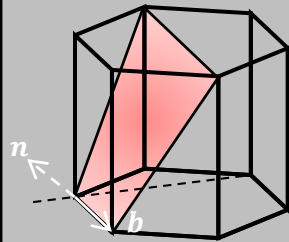
$\langle a_1 + a_2 \rangle$ basal slip



$$n = (0001) \\ \bar{b} = [1\bar{1}00]$$

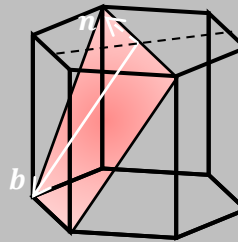


$\langle a \rangle$ 1st order pyramidal slip



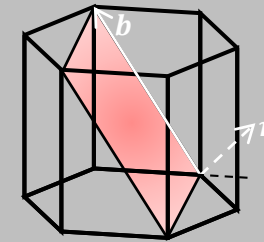
$$n = (0\bar{1}11) \\ b = [2\bar{1}\bar{1}0]$$

$\langle c + a \rangle$ 1st order pyramidal slip



$$n = (0\bar{1}11) \\ b = [\bar{1}12\bar{3}]$$

$\langle c + a \rangle$ 2nd order pyramidal slip

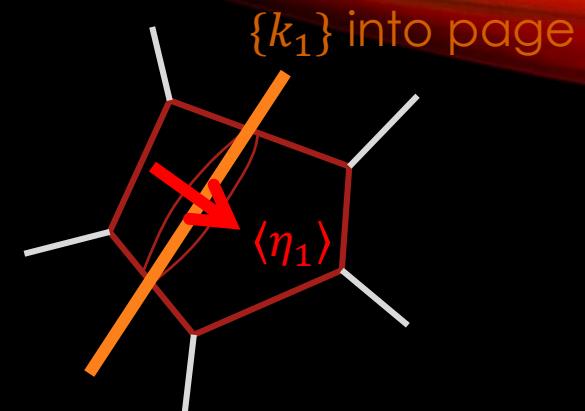
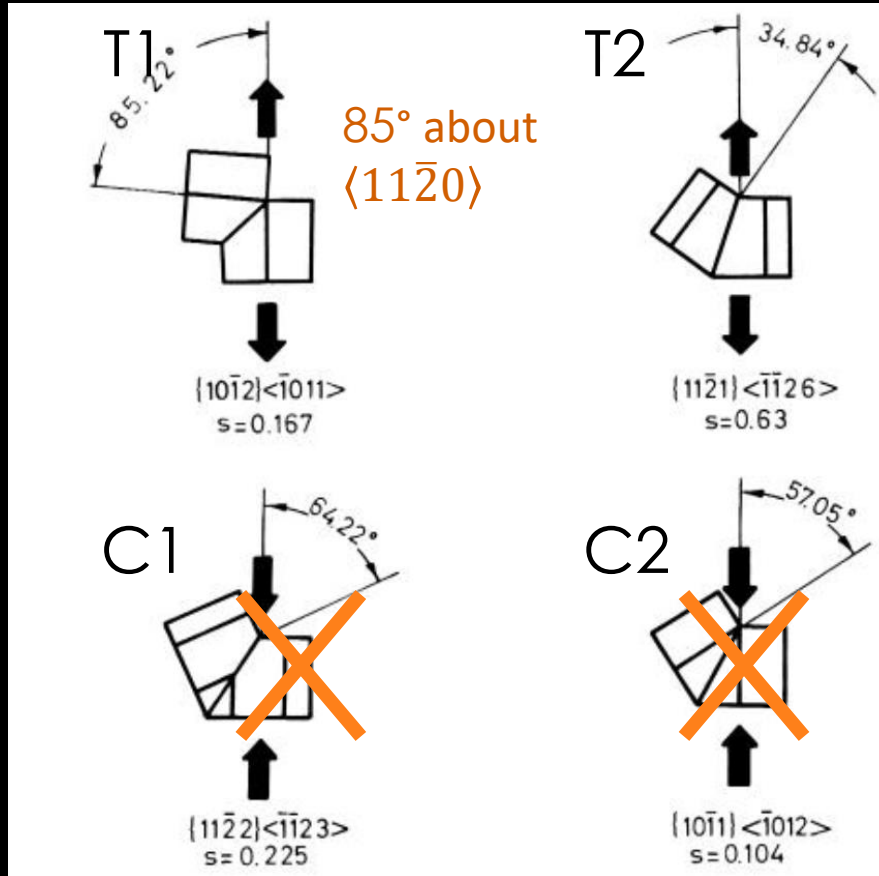


$$n = (11\bar{2}2) \\ b = [\bar{1}12\bar{3}]$$

CRSS: 1.3×
 $\langle a \rangle$ prismatic
(RT, QS)

CRSS: 3.5× $\langle a \rangle$ prismatic (RT, QS)

TWINNING IN ZR



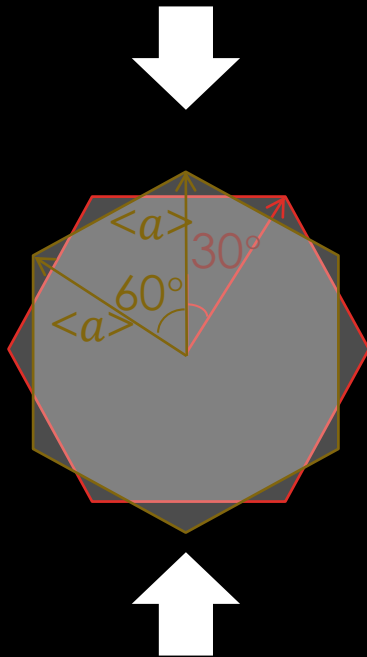
Twin characteristics:

- $\langle c \rangle$ -axis extension/contraction
- Twin plane $\{k_1\}$
- Twinning direction $\langle \eta_1 \rangle$
- Twinning shear s
- Shear plane $\langle P \rangle$
 - (Lattice rotation axis)
- Lattice rotation angle θ

Easy to identify & characterise using EBSD intergranular misorientations

DEFORMATION IN HCP CRYSTALS

'Soft' sample

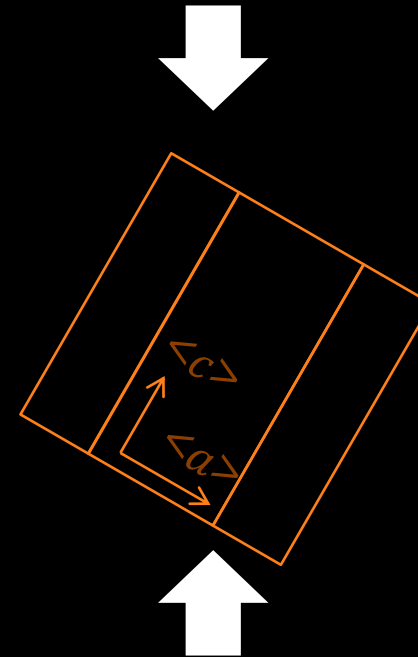


$\langle a \rangle$ prism slip
 $\{10\bar{1}0\}\langle 11\bar{2}0 \rangle$

T1 twinning
 $\{10\bar{1}2\}\langle 10\bar{1}1 \rangle$

T2 twinning
 $\{11\bar{2}1\}\langle 11\bar{2}\bar{6} \rangle$

'Harder' sample



$\langle a \rangle$ prism slip
 $\{10\bar{1}0\}\langle 11\bar{2}0 \rangle$

$\langle a \rangle$ basal slip
 $\{0001\}\langle 11\bar{2}0 \rangle$

T2 twinning
 $\{11\bar{2}1\}\langle 11\bar{2}\bar{6} \rangle$

T1 twinning
 $\{10\bar{1}2\}\langle 10\bar{1}1 \rangle$

& limited $\langle c + a \rangle$ pyramidal slip

RESULTS: MECHANICAL DATA

Contribution to work hardening:

Twinning: Small contribution:

- Crystal could rotate to harder orientation
- Grain size refined

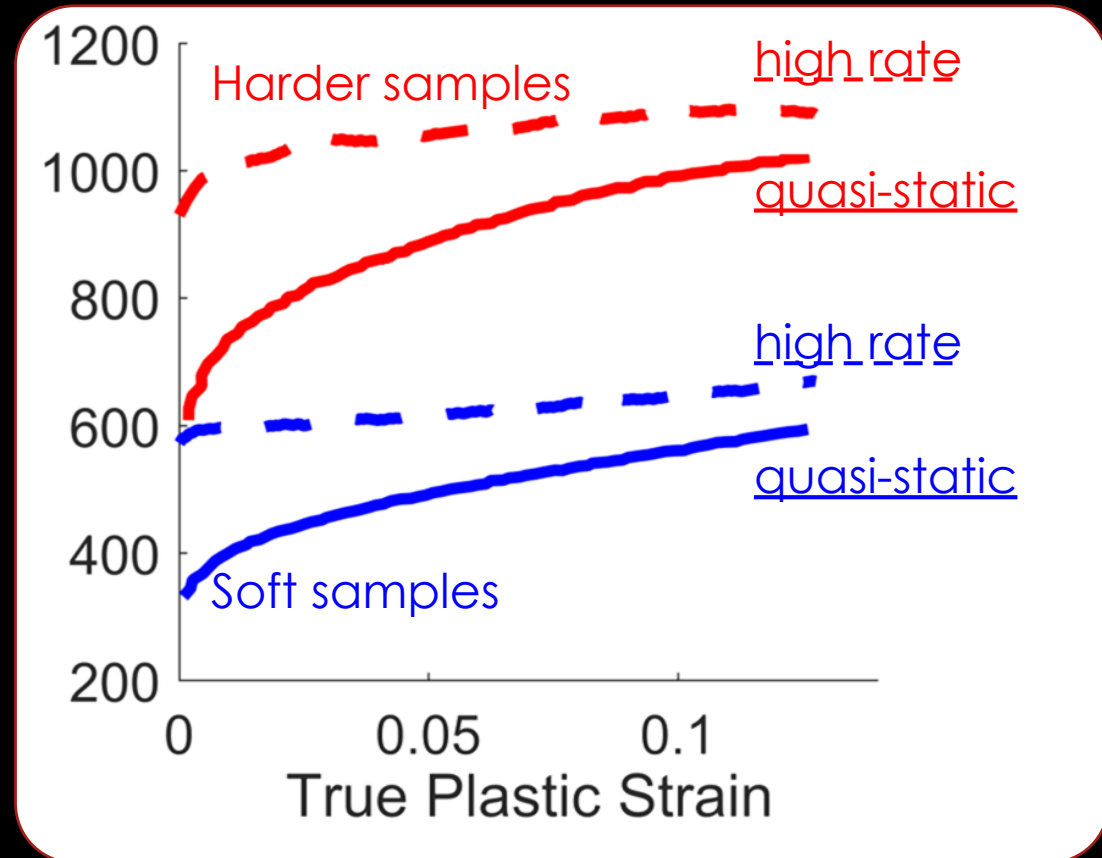
Single slip: Small contribution

- Slip blocked at grain boundaries
- Regions run into each other

Multiple slip: large contribution

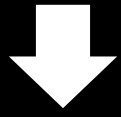
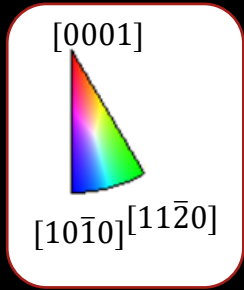
- Dislocation cell structures
- Forest hardening

True Stress (MPa)



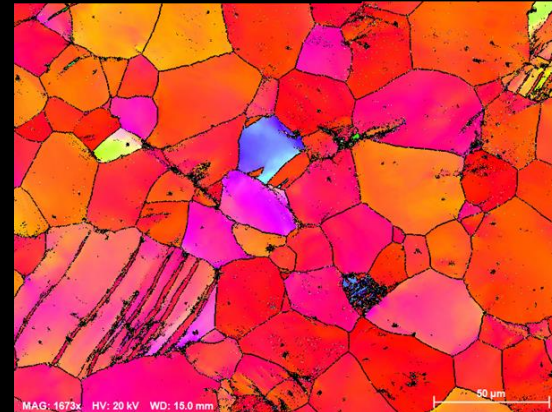
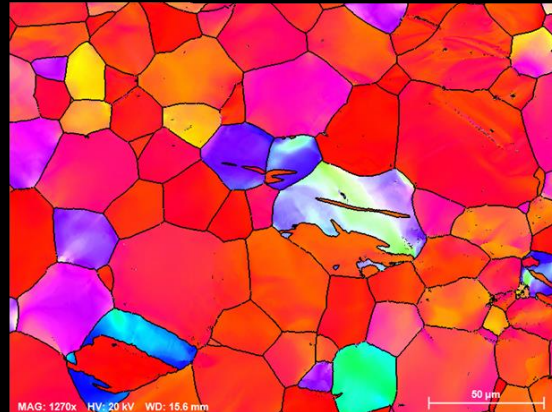
RESULTS: ORIENTATIONS

IPF-ZZ



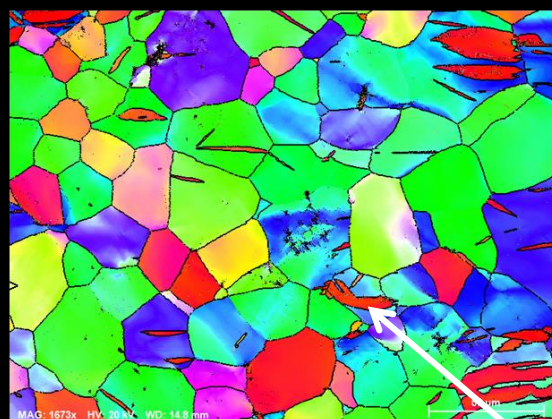
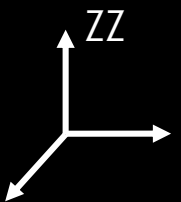
Quasi-static

High strain rate



'Harder' samples

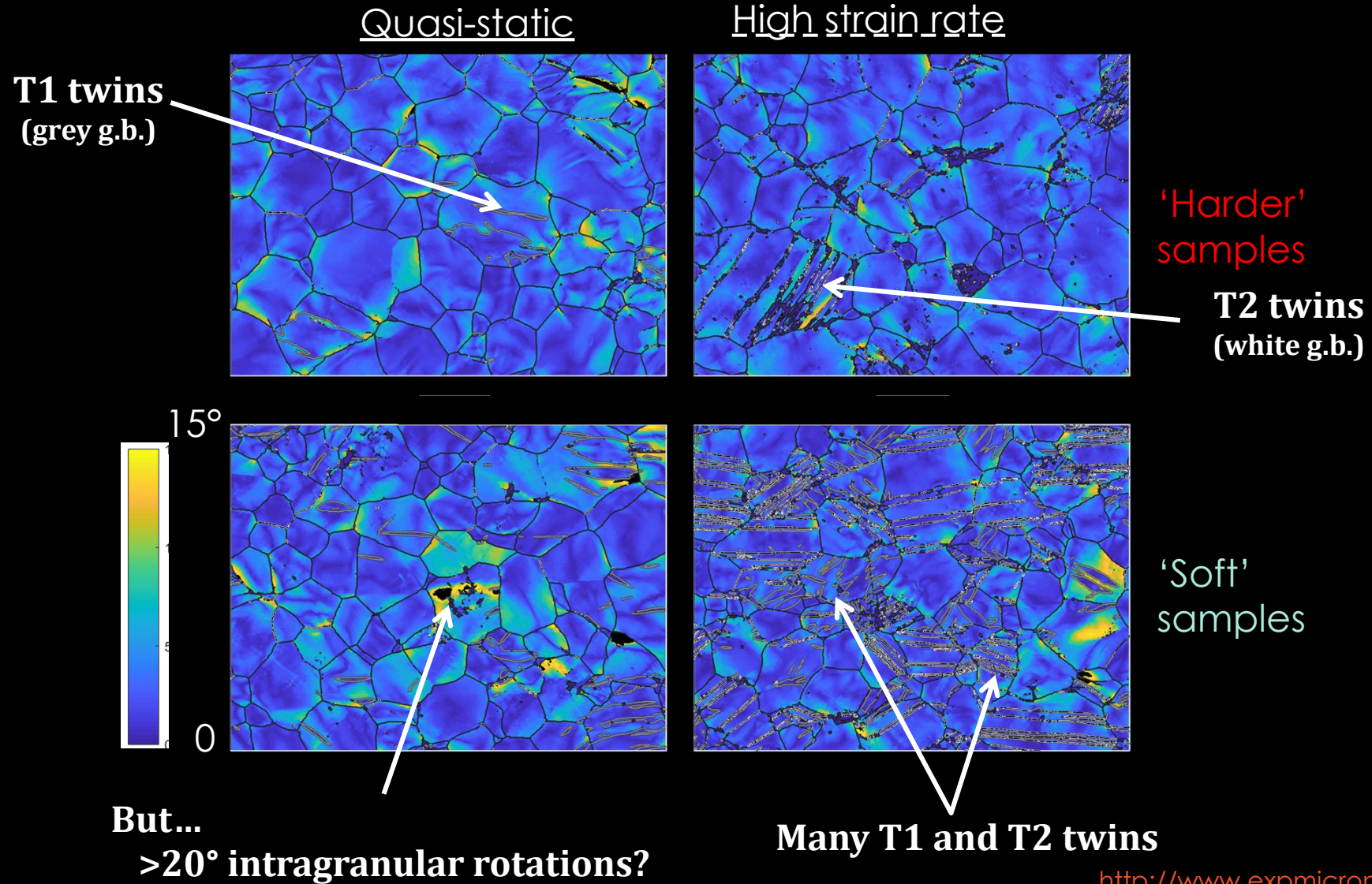
Texture difference



'Soft' samples

Hard twins, soft parents

RESULTS: MISORIENTATION ANGLES



TWIN ANALYSIS - QUANTITATIVE

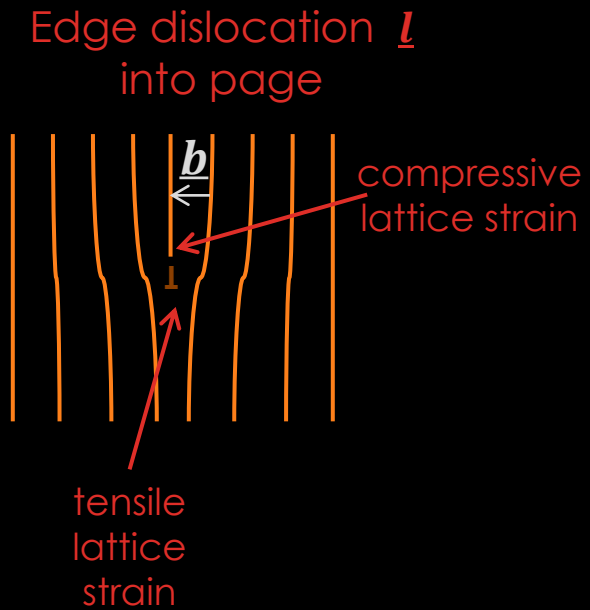
	ND-QS		ND-HR		TD-QS		TD-HR	
	T1	T2	T1	T2	T1	T2	T1	T2
EBSD step size	0.3 μm							
Total grains (inc. twins)	136		233		231		920	
Grain diameter (exc. FOV edge)	21 μm		13 μm		14 μm		7 μm	
Twin area fraction	4 %	0 %	1 %	2 %	6 %	0 %	9 %	12 %
Strain from twinning	0.4 %	0 %	0.1 %	0.9 %	0.7 %	0 %	1 %	5 %
Num. twins	13	0	5	14	67	0	150	121
Num. parents	7	0	3	4	32	0	37	41
Mean twins/ parent	1.9		1.7	3.5	2.1		4.1	3.0
Max variants/ parent	2		1	1	2		5	2
Mean twin length/ μm	17 μm		10 μm	36 μm	11 μm		8 μm	19 μm
Mean twin width	6 μm		3 μm	2 μm	2 μm		3 μm	2 μm
Mean twin area	76 μm^2		26 μm^2	62 μm^2	18 μm^2		17 μm^2	22 μm^2

QUANTIFYING MICRO-DEFORMATION

Method 1: Identify residual dislocations

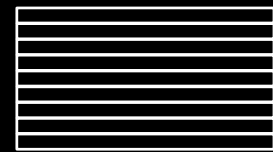
e.g. TEM diffraction, synchrotron XRD, HR-EBSD

- Measure elastic strain around dislocations
 - Residual stress
 - Image contrast
- Burgers vector \underline{b} & line direction \underline{l} resolved
- Slip plane not always known
- Glissile/sessile character not known



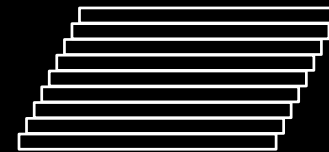
IMPORTANT!

Residual dislocations \neq slip activation
This technique cannot measure plastic strain, e.g.



Undeformed

Single slip



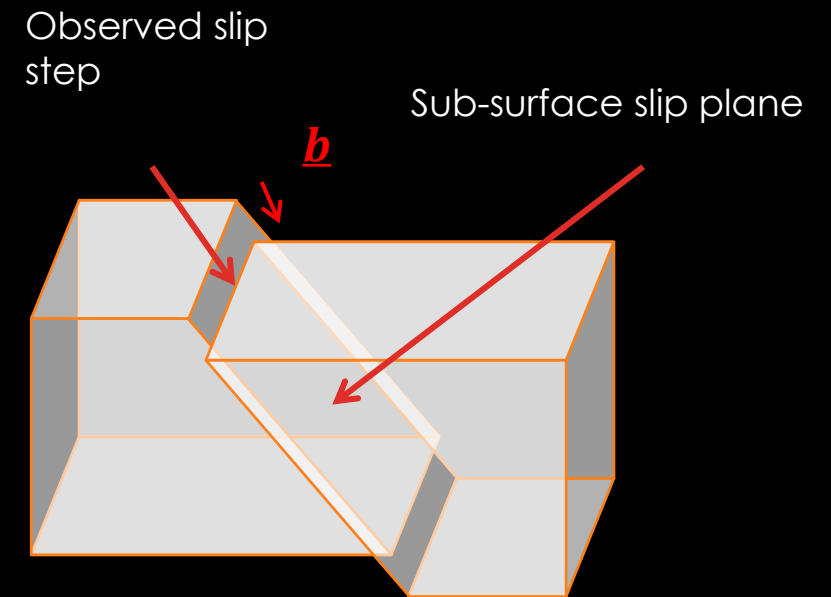
Deformed

QUANTIFYING MICRO-DEFORMATION

Method 2: Identify slip plane

e.g. SEM-EBSD slip trace analysis [1]

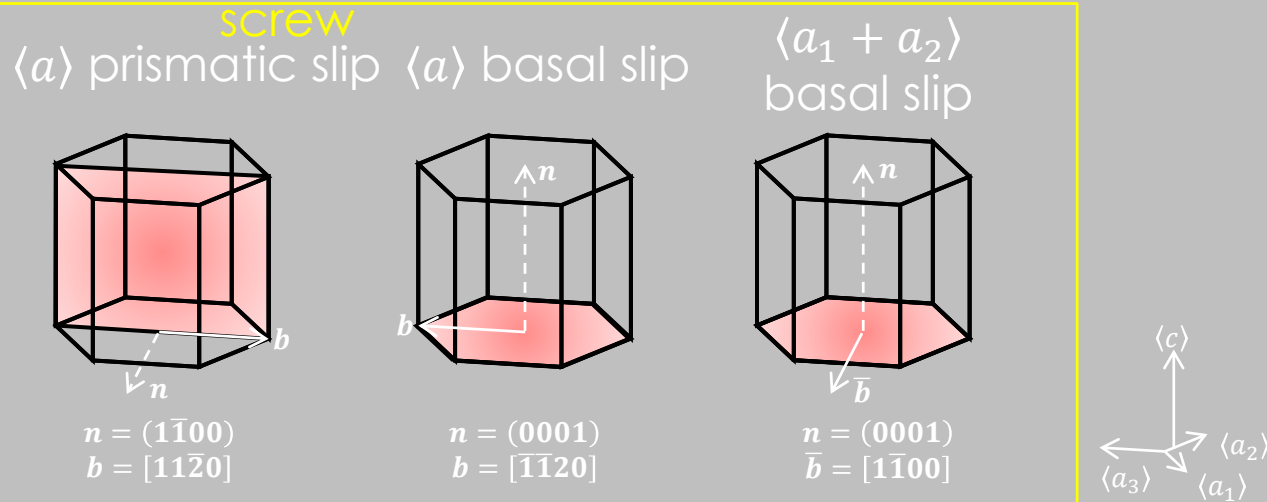
- Correlate surface trace (imaging, AFM or DIC) with crystal orientation (EBSD)
- Slip plane resolved
- Slip direction usually unknown



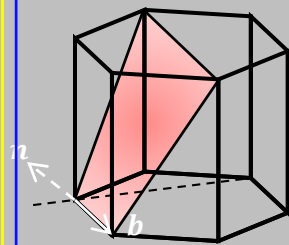
[1] A. Orozco-Caballero et al., "How magnesium accommodates local deformation incompatibility: A high-resolution digital image correlation study," *Acta Mater* 2017

WHICH SLIP SYSTEM?

Diffraction methods: $\langle a \rangle$

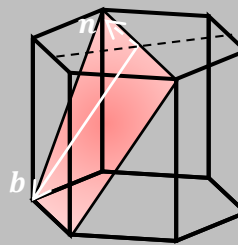


$\langle a \rangle$ 1st order pyramidal slip



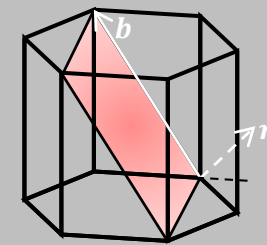
$n = (0\bar{1}11)$
 $b = [2\bar{1}10]$

$\langle c + a \rangle$ 1st order pyramidal slip



$n = (0\bar{1}11)$
 $b = [11\bar{2}3]$

$\langle c + a \rangle$ 2nd order pyramidal slip



$n = (11\bar{2}2)$
 $b = [11\bar{2}3]$

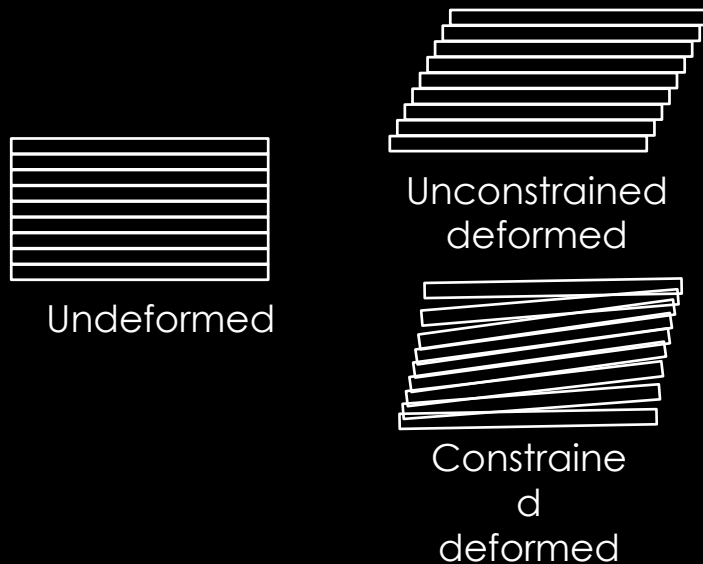
Slip trace analysis: 1st order pyramidal plane

<http://www.expmicromech.com>

QUANTIFYING MICRO-DEFORMATION

Method 3: Identify rotation axis from constrained slip

- Slip in **constrained polycrystal** → long range lattice rotations
 - Plastic rotation balanced by lattice rotation in constrained geometry
- Must assume constraint, i.e. grain shape does not change before/after deformation

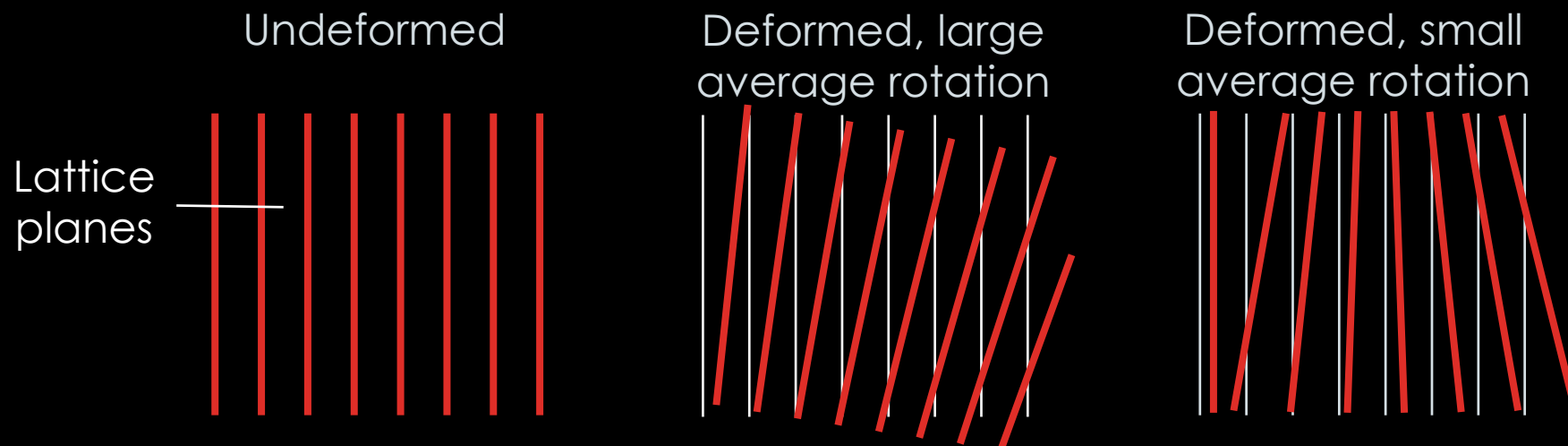


~1% deformed, large grained Zr
Orientation gradients caused by slip shown as colour changes in this IPF map

Use EBSD to characterise long range lattice rotations

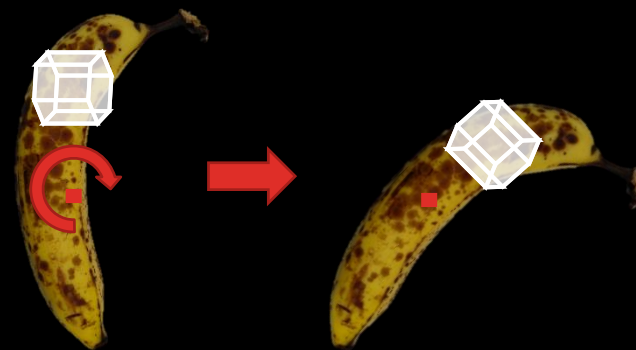
QUANTIFYING MICRO-DEFORMATION

- Pre-deformation: uniform orientation ($<2^\circ$ intragranular misorientation)
- Deformed: large orientation gradients
- Ideally, measure lattice rotation w.r.t. undeformed orientation \leftarrow not easily accessible
- Small deformations (10% strain)
 - Small total lattice rotation
 - Check: negligible crystallographic texture change before/after

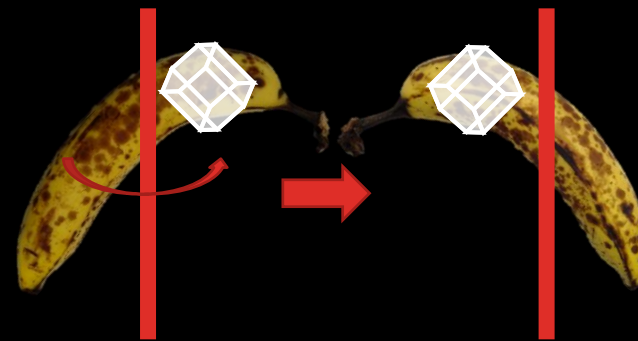


QUANTIFYING SLIP

- Intragranular misorientations relative to grain mean orientation
- Approximate that mean orientation \approx undeformed state
- Misorientation: both angle & **axis**
- Axis in **sample** or **crystal** coordinate frame

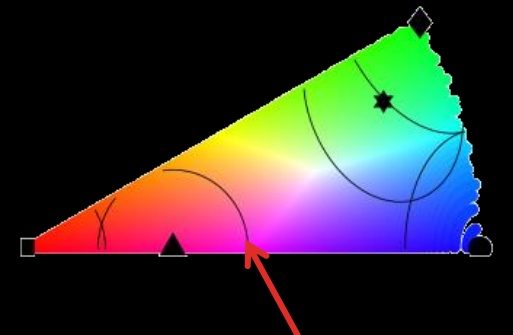
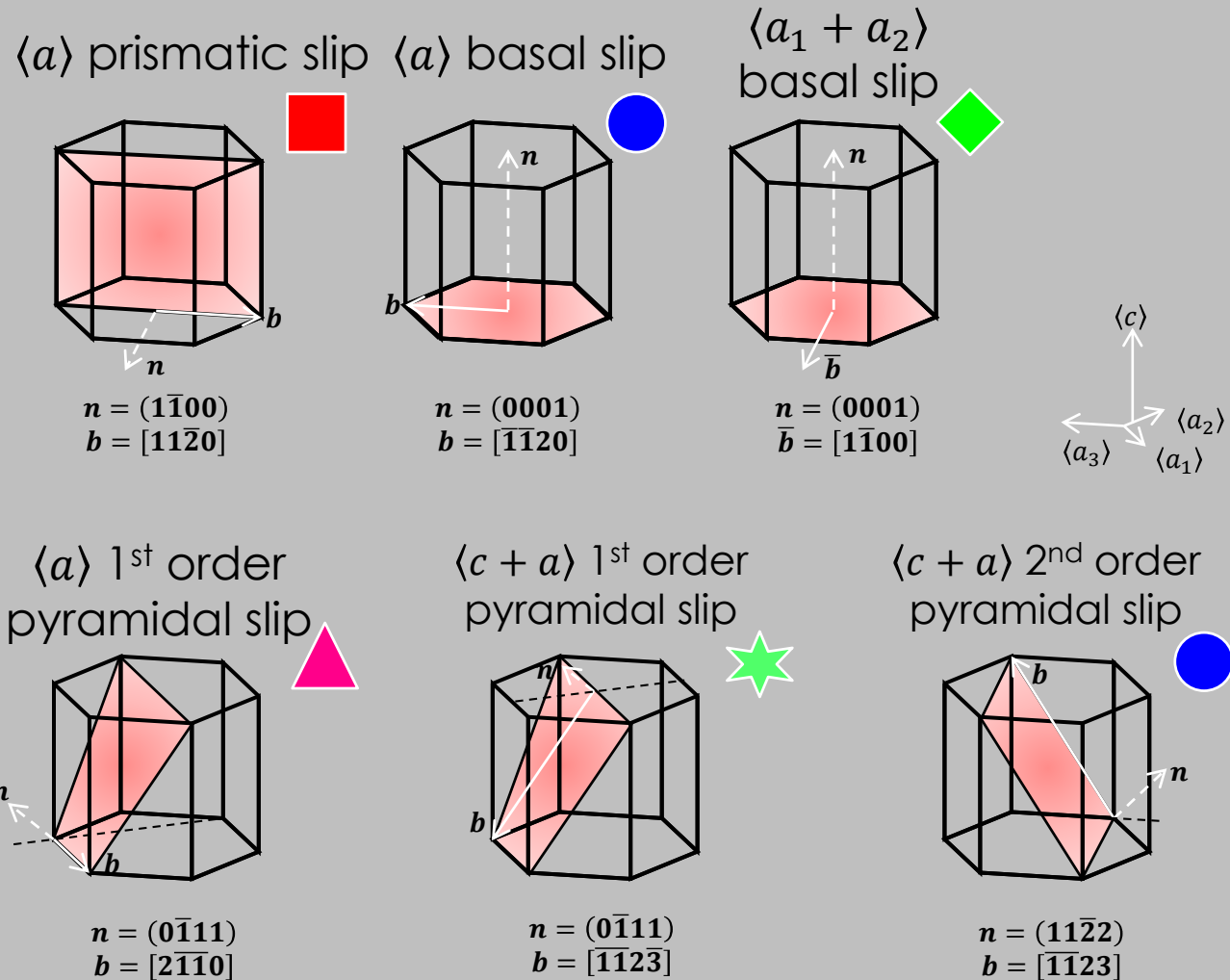


45° angle
 $[1\bar{1}00]$ axis into the page



180° angle
 $[\bar{1}12\bar{3}]$ axis vertical in the page

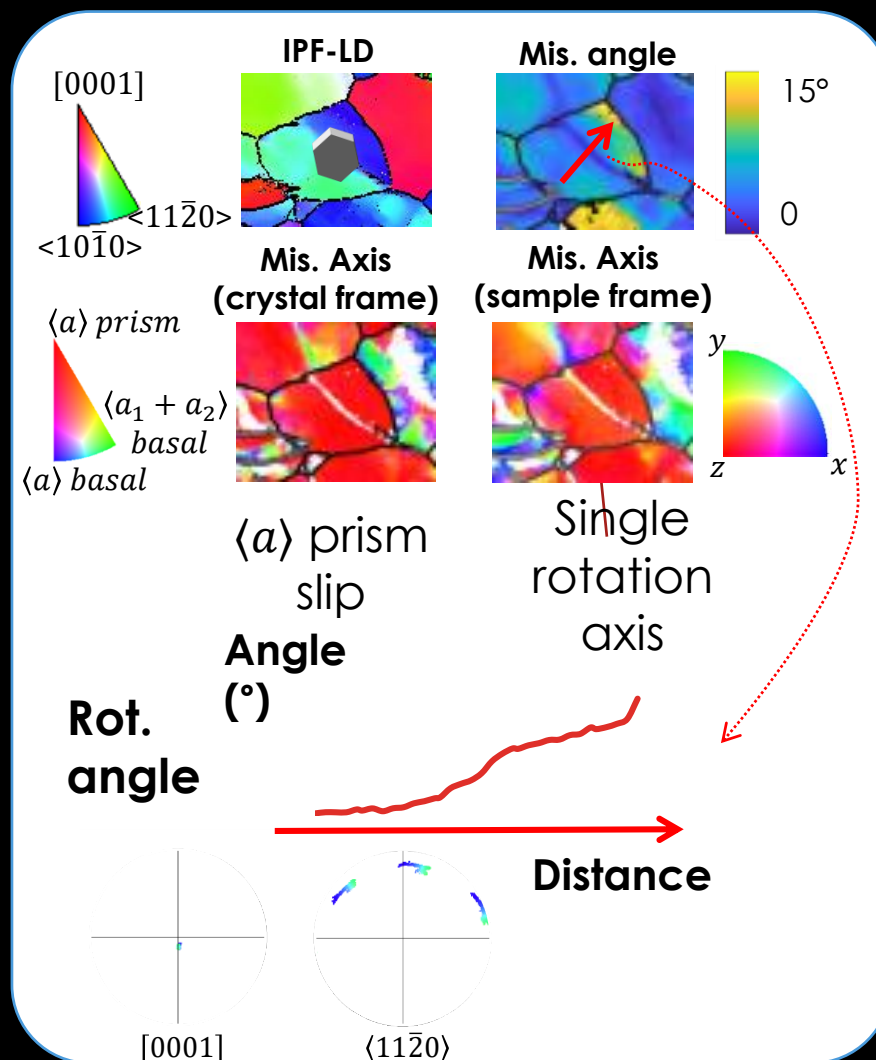
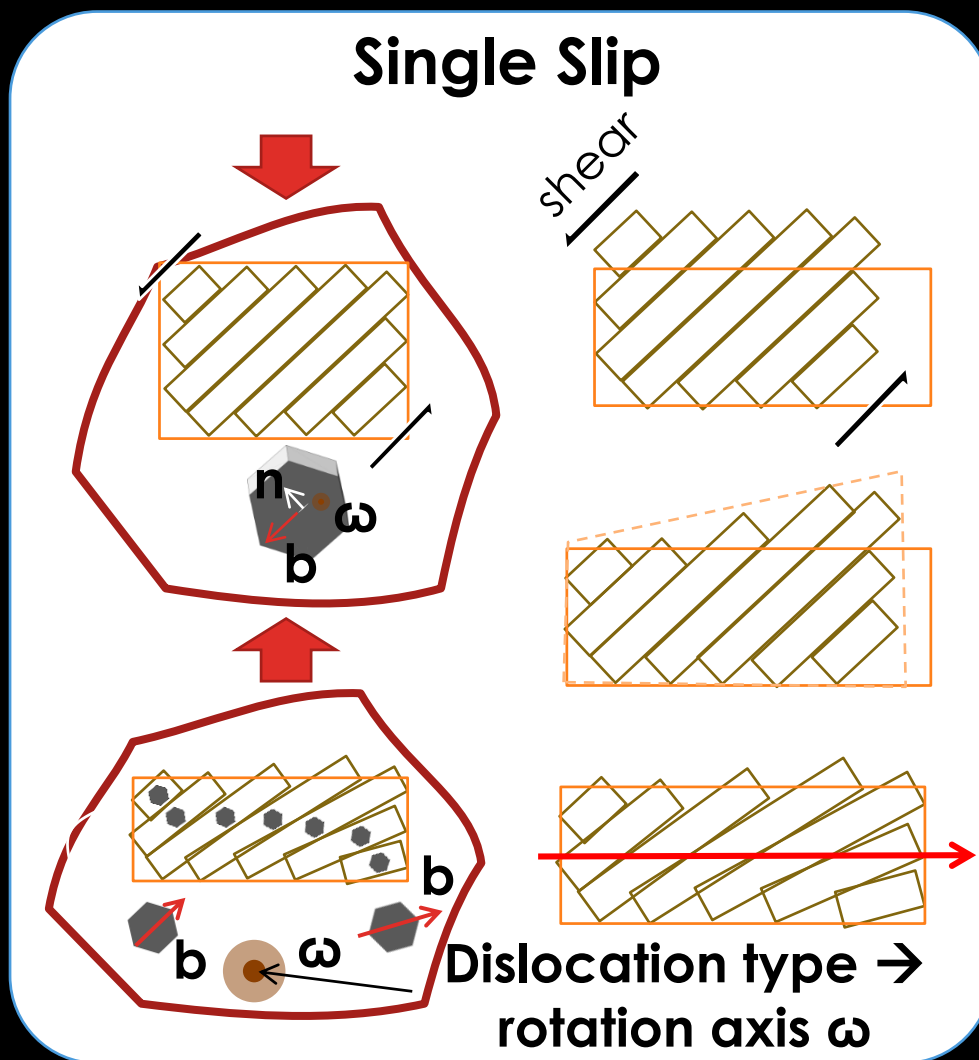
MISORIENTATION AXES (CRYSTAL FRAME)



Uncertainty
@ 15° locus [1]

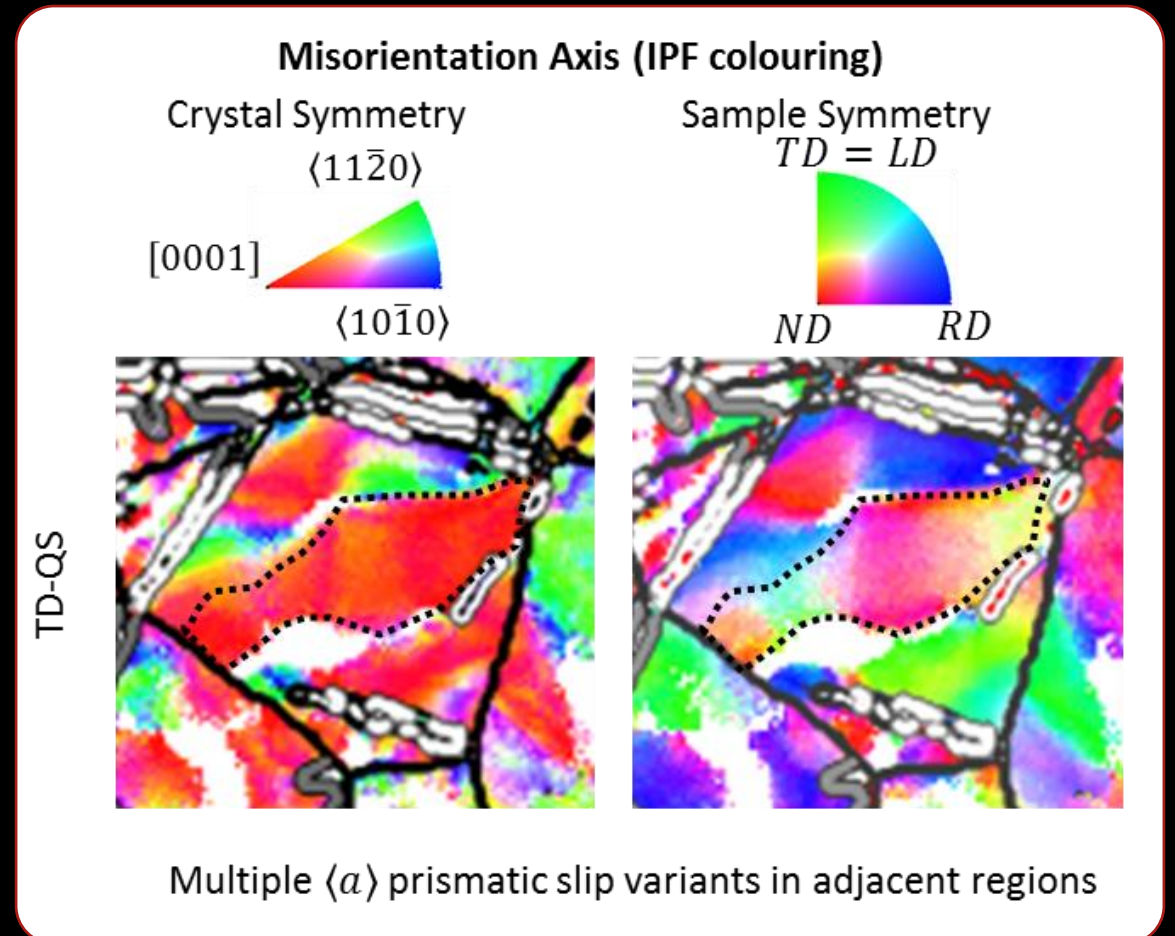
[1] A. J. Wilkinson, "A new method for determining small misorientations from electron back scatter diffraction patterns," *Scr. Mater.* 2001. <http://www.expmicromech.com>

SINGLE SLIP IN A CONSTRAINED GRAIN

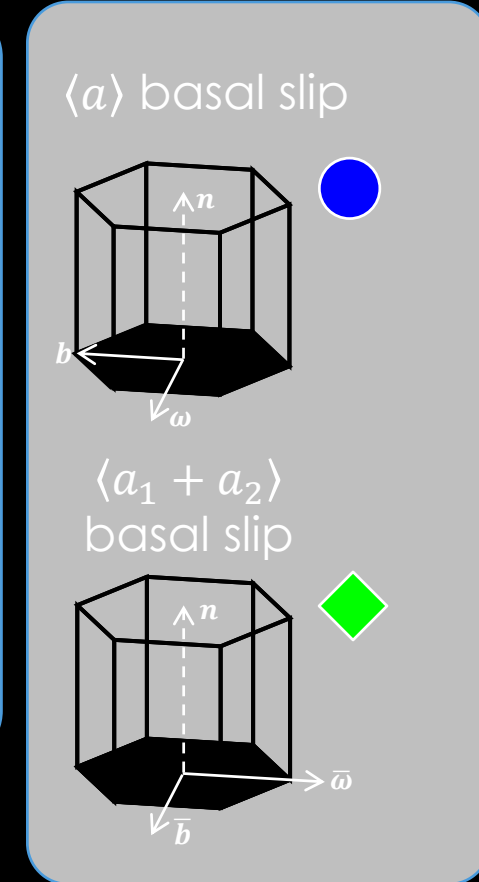
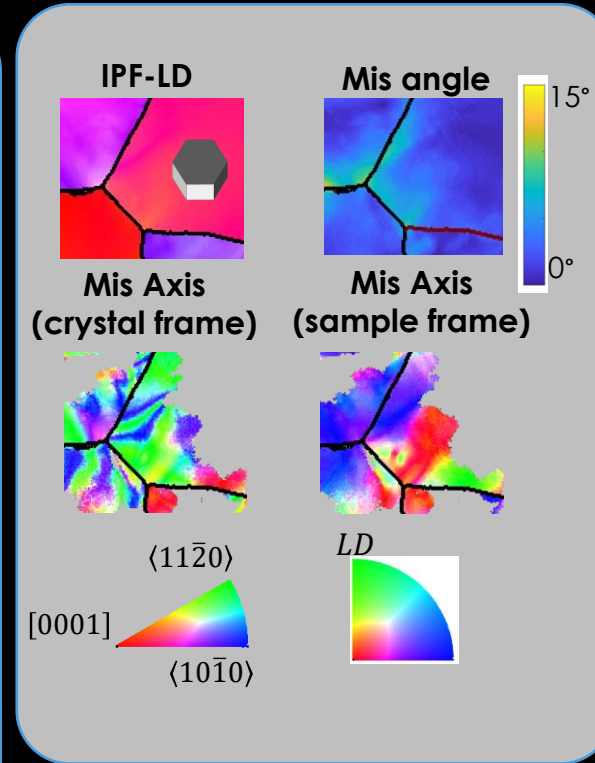
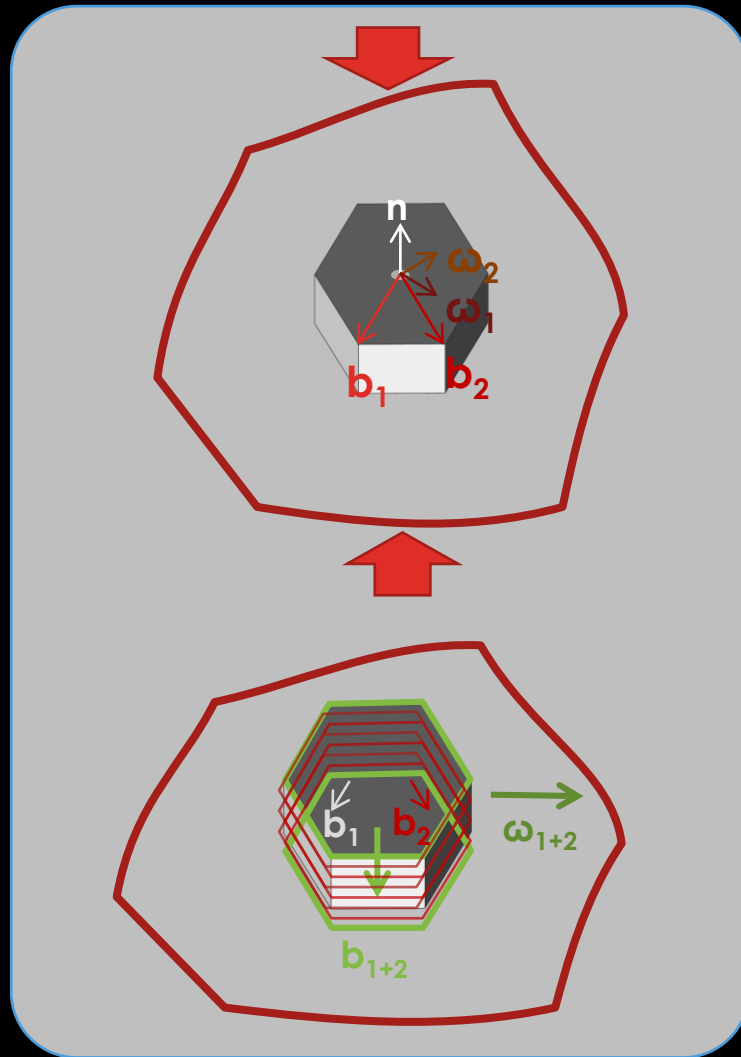


MULTIPLE PRISMATIC SLIP

- Misorientation axis using crystal = red = [0001] = prism
- Variation in sample colouring (rainbow) = multiple (spatially resolved) crystal systems operating



BASAL SLIP

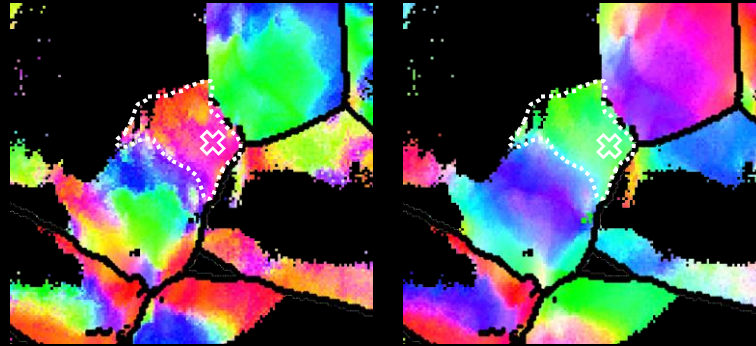


'Double' basal slip = special multiple slip mode \rightarrow cooperative motion of $\langle a \rangle$ basal slip dislocations

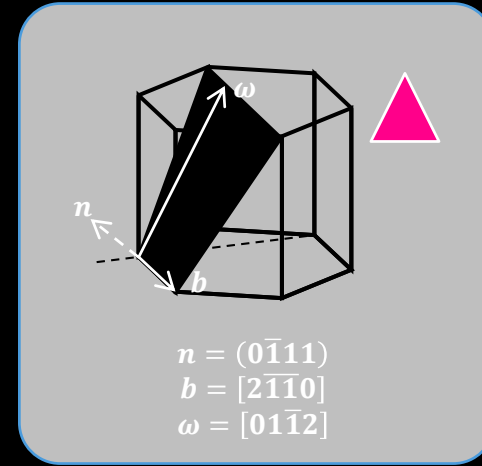
$\langle a \rangle$ 1ST ORDER PYRAMIDAL SLIP

Colour resolution too coarse \rightarrow plot points on IPF key

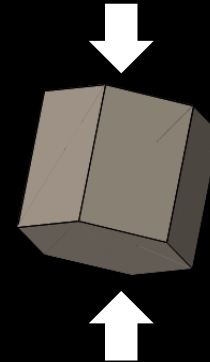
Crystal Symmetry Sample Symmetry



 : $\langle a \rangle$ 1ST order pyramidal slip



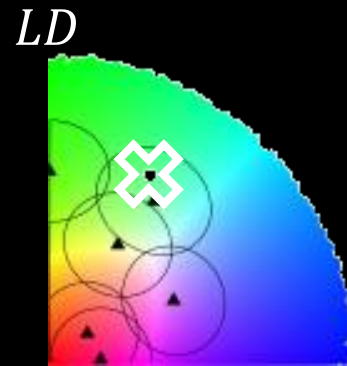
Sample orientation



Check expected misorientation axis in sample symmetry (know crystal orientation)

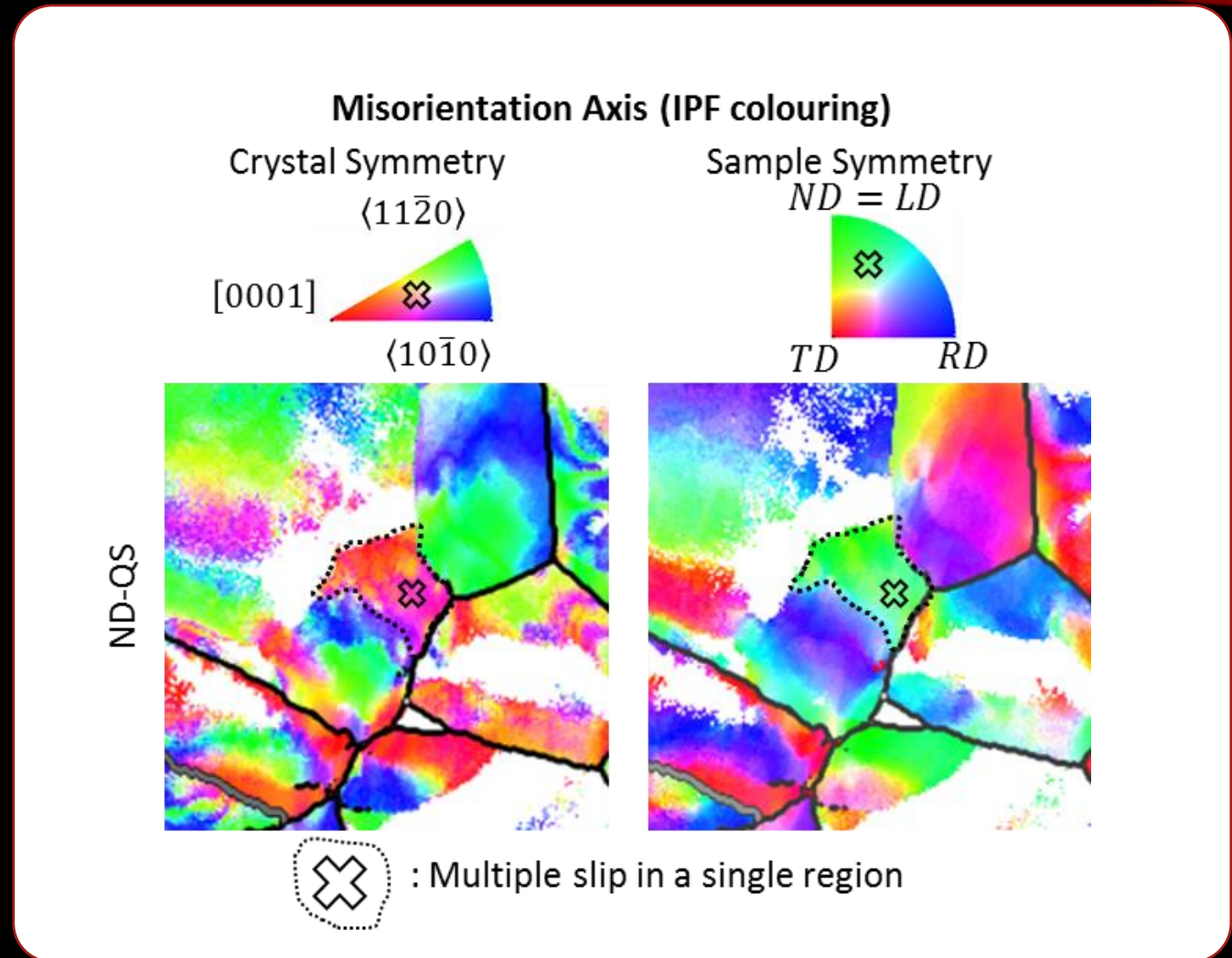


Allow 15° deviation locus (measurement uncertainty)



MULTIPLE SLIP SYSTEMS

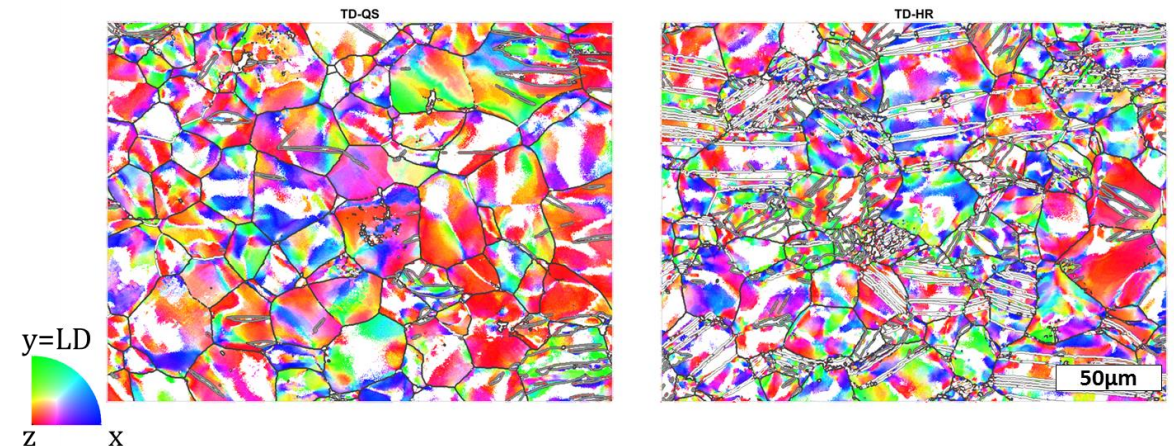
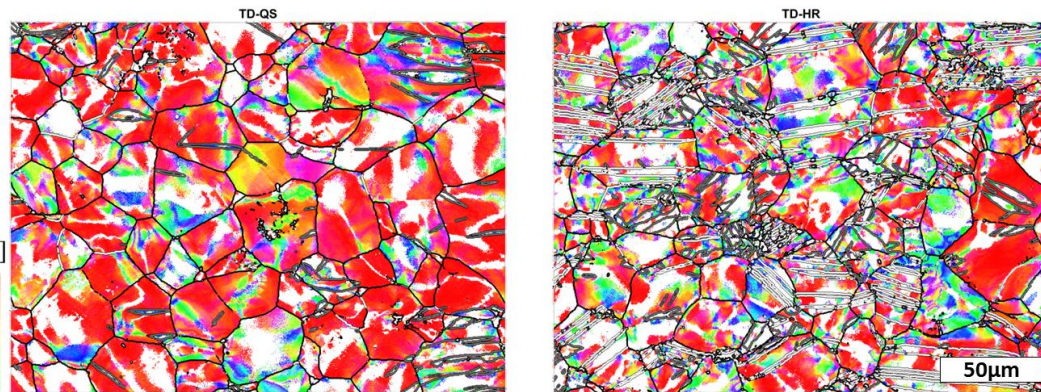
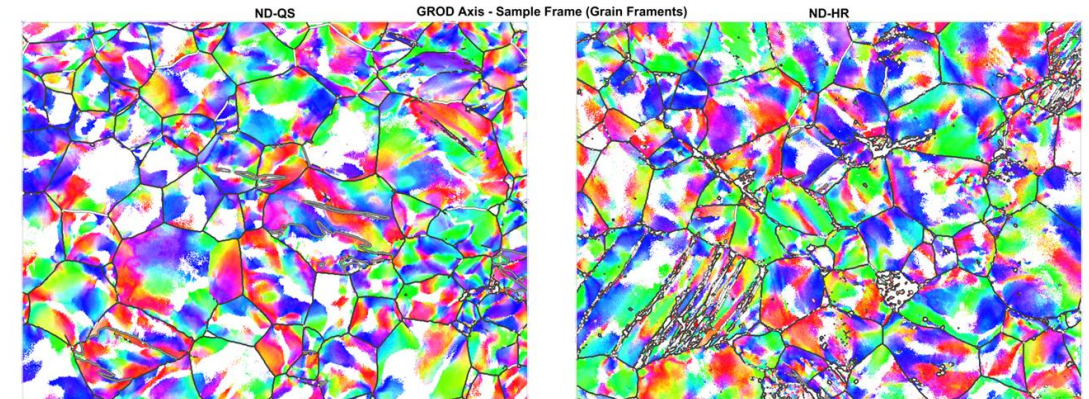
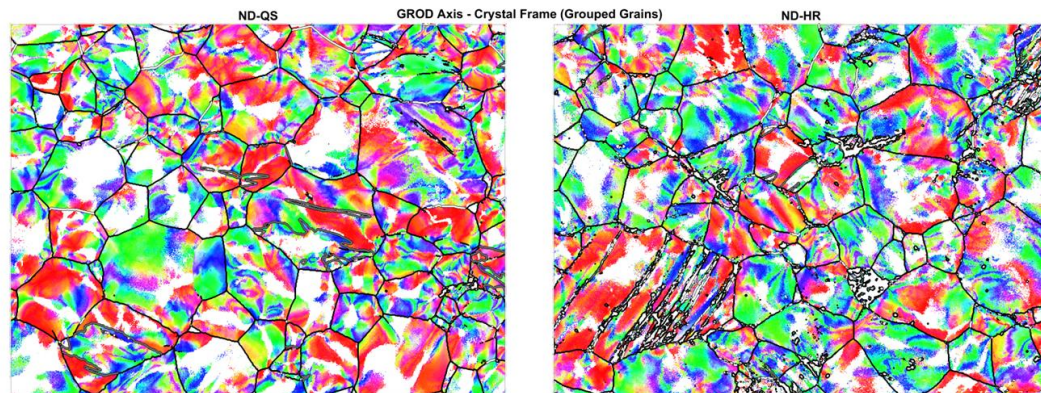
- Multiple slip mechanisms = difficult to allocate slip system in crystal frame
- In sample frame – patchy, but consistent in colour
 - Indicates ~similar strain state



ORIENTATION AXIS - FRAMES

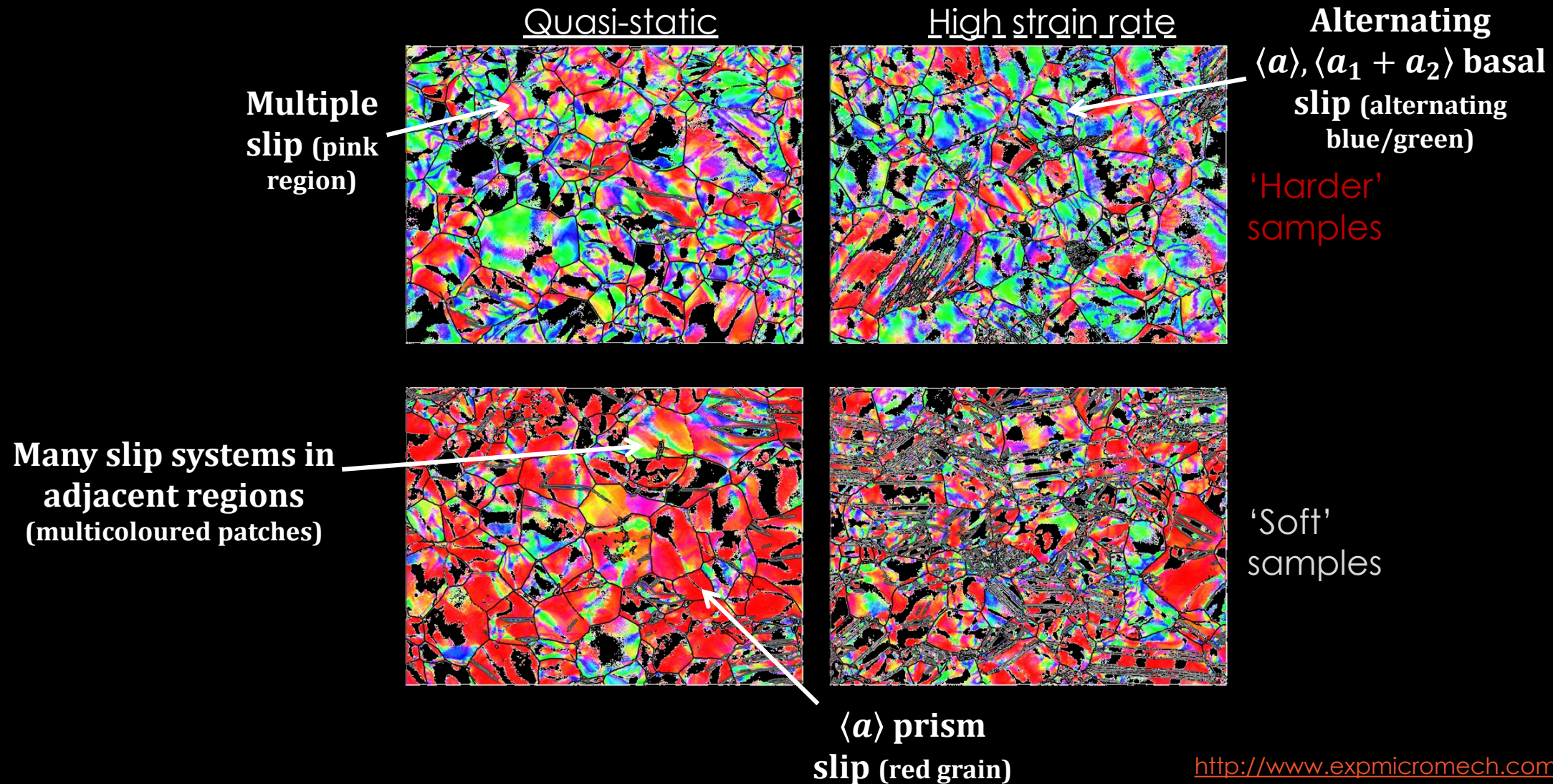
Crystal

Sample



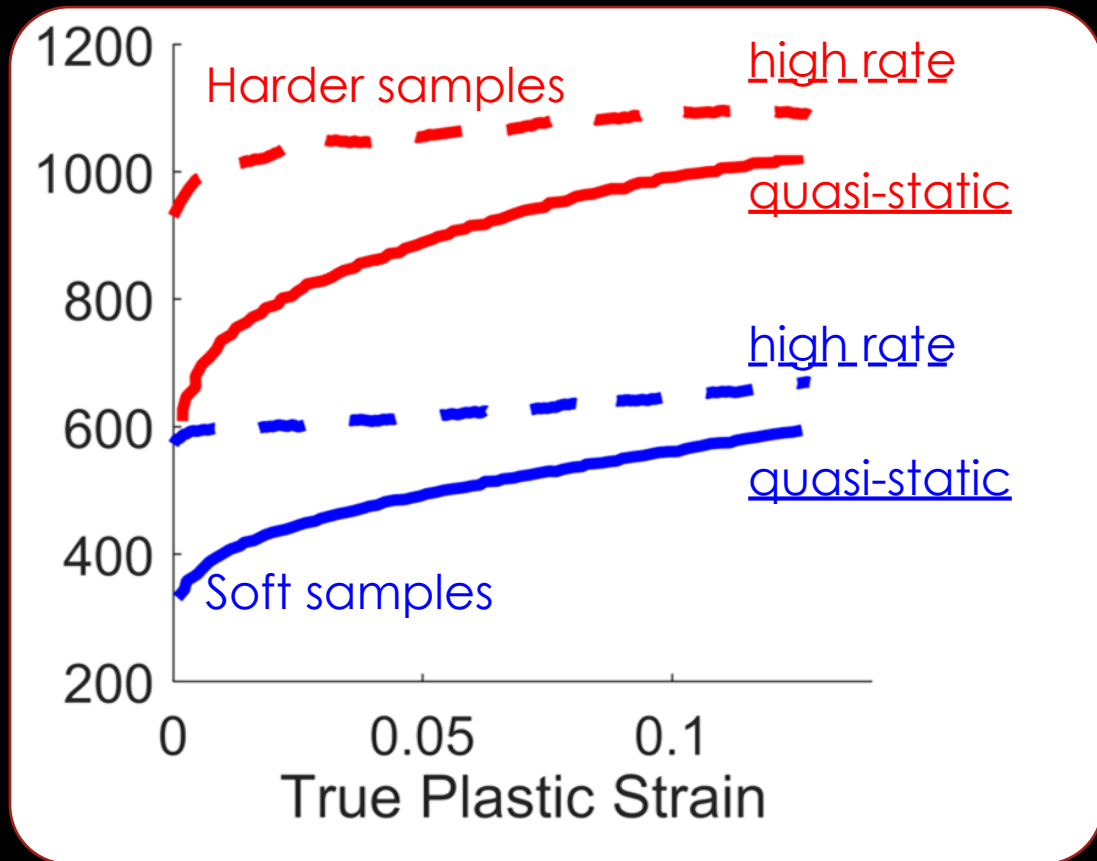
White regions $< 2^\circ$ from mean orientation

MAP-WIDE SLIP SYSTEM ANALYSIS (CRYSTAL FRAME)



SLIP SYSTEM ACTIVITY

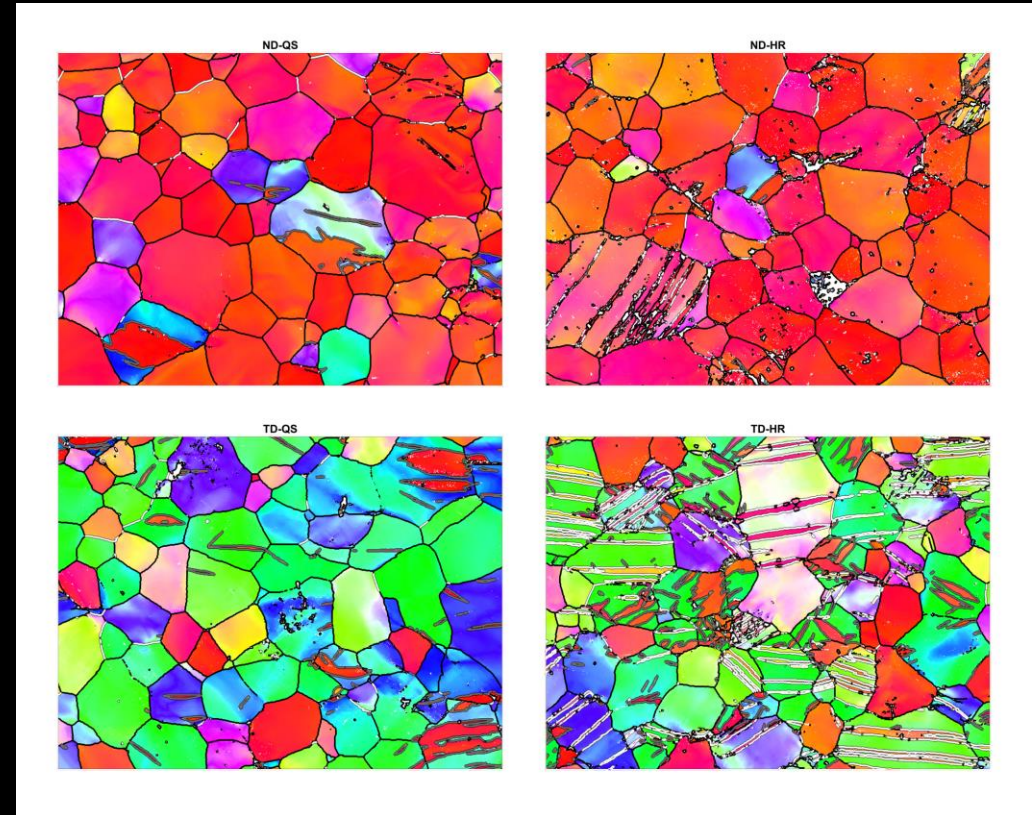
True Stress (MPa)



	GROD20	Prismatic	Basal	Mix	Twining
Hard-QS		8%	34%	58%	T1
Hard-HR		6%	42%	51%	Many T2+T1
Soft-QS		34%	12%	54%	T1
Soft-HR		19%	20%	60%	T2+T1

SUMMARY – HIGH RATE

- Texture + strain rate changes deformation modes
- EBSD enables twin AND slip system assessment
- Slip = Assumption of constraint
 - Requires large deformations
 - Assesses long range rotation gradients



IF STEEL DEFORMATION

Jim Hickey and Ben Britton

(Work in process – linked to MTEX tutorial...)



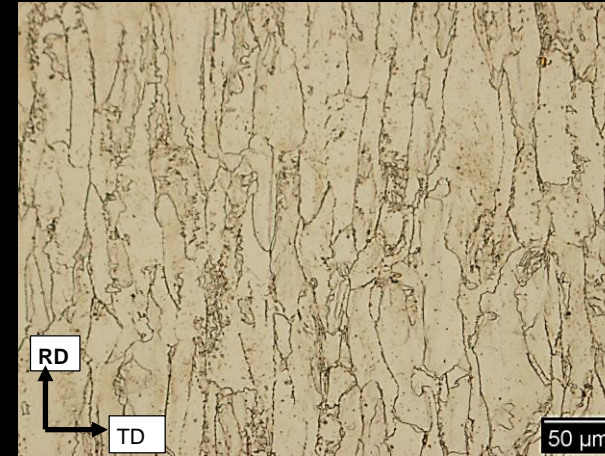
CASE STUDY & INITIAL HYPOTHESIS: IF STEEL

Interstitial Free (IF) Steel: Carbon atoms located in **carbides** as opposed to ferrite matrix

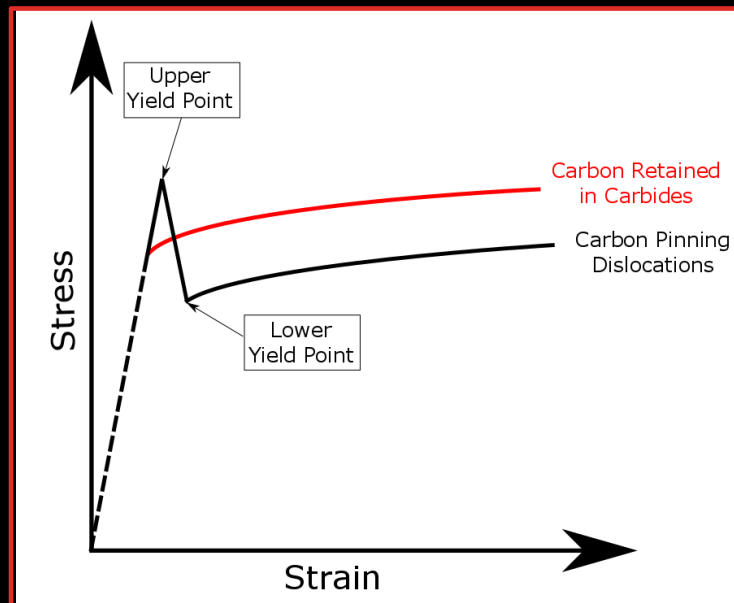
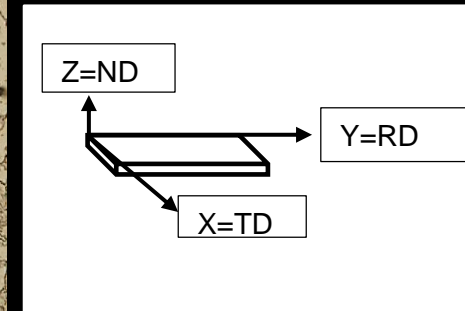
Sample: Cold rolled, Ti/ Nb (carbide forming) sheet IF steel 0.8 mm thick

Task: Design two heat-treatments: one to dissolve carbides, the other to retain them

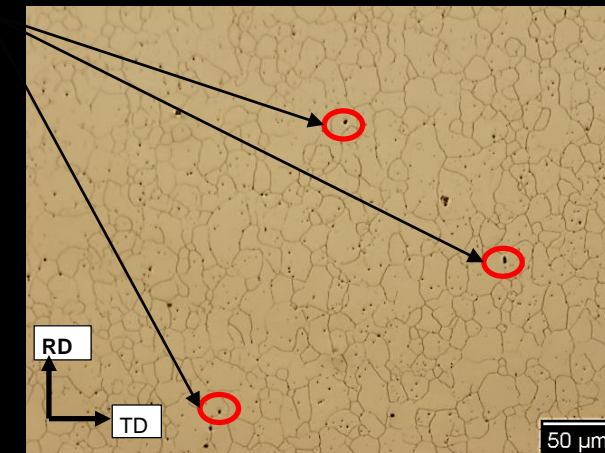
Hypothesis:



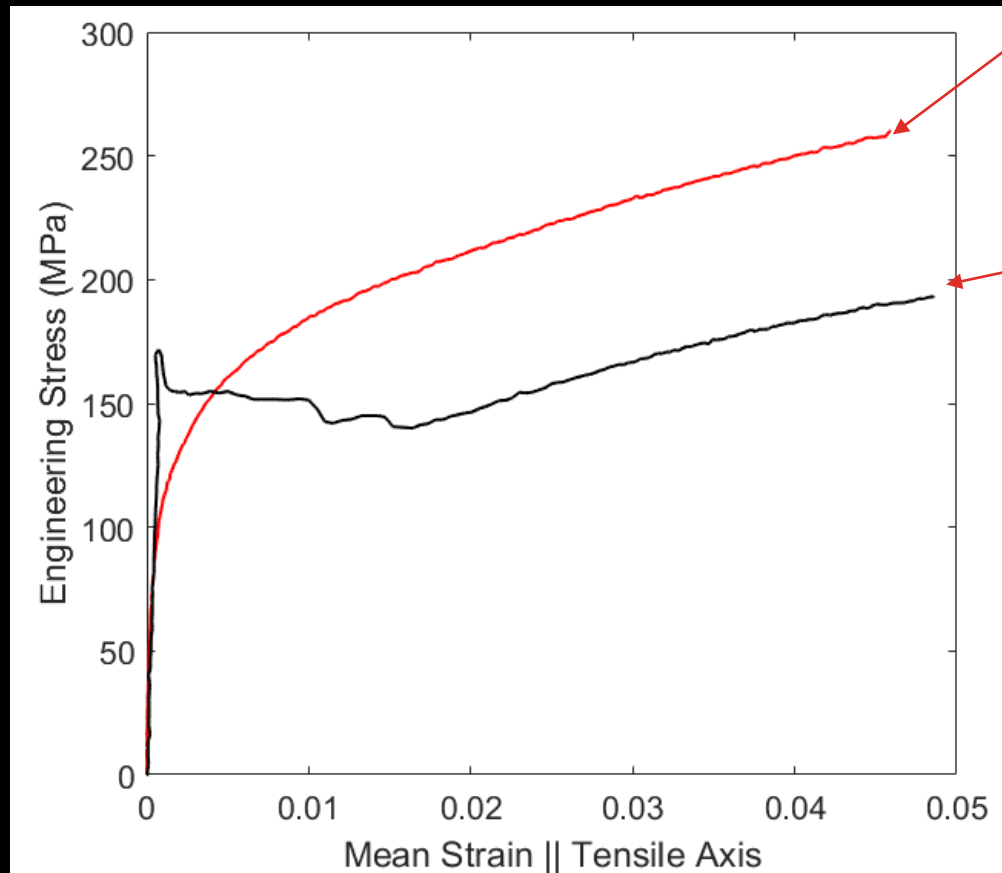
Micrograph of as-received rolled surface of IF steel sheet



Carbides



EX-SITU TENSILE RESULTS I: RECRYSTALLIZATION FROM AUSTENITE



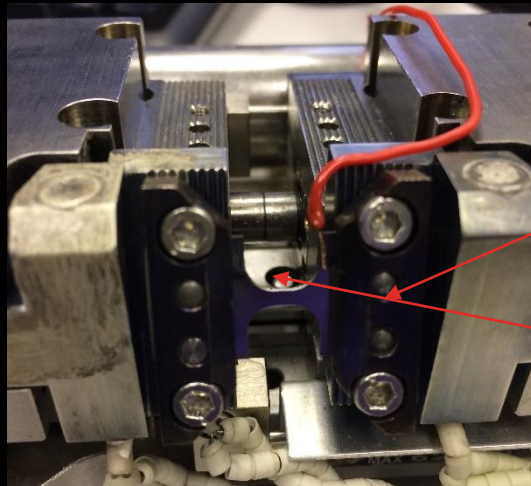
Soak at 900°C for 24 hrs:
Continuous yield + flow stress

Soak at 900°C for 1 hr:
Lower flow stress + stress drop
at yield point (classic low carbon
steel?)

**SIMILAR GRAIN SIZE + TEXTURE FOR
BOTH MICROSTRUCTURES**

**Small amounts of carbon and
where it is in the microstructures
has a large effect on yielding
behaviour**

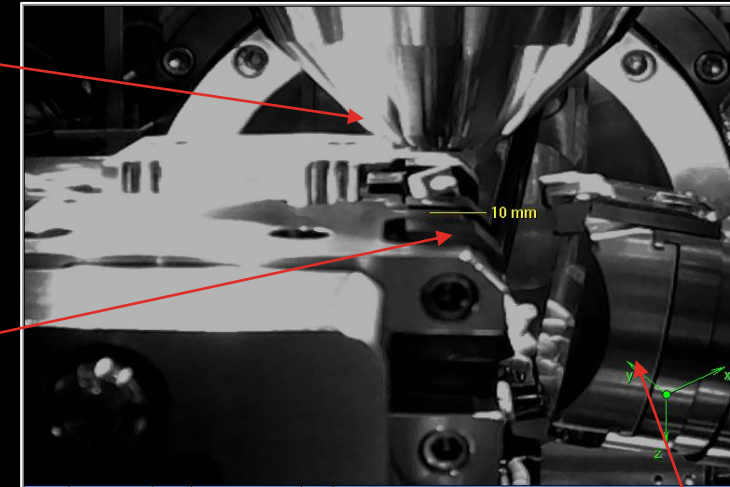
IN-SITU I: HETEROGENEOUS YIELDING SAMPLE



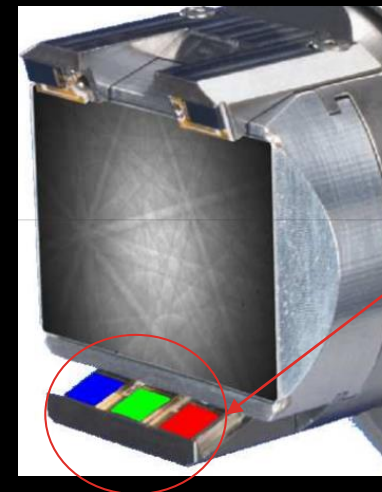
Pole Piece

Tensile Stage
Jaws

Sample



- Experiment to:
 - Measure Geometrically Necessary Dislocation (GND) density using HR-EBSD
 - Measure strain using DIC + Markers (Indents + Roughness)

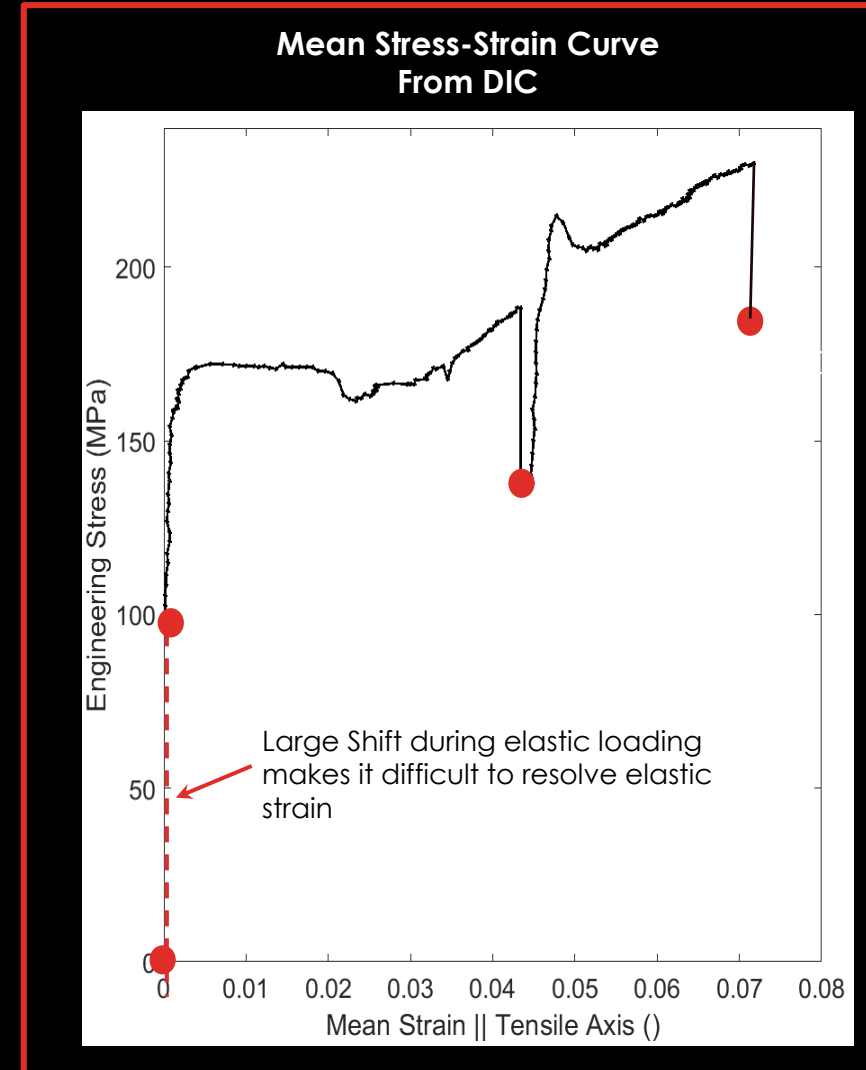
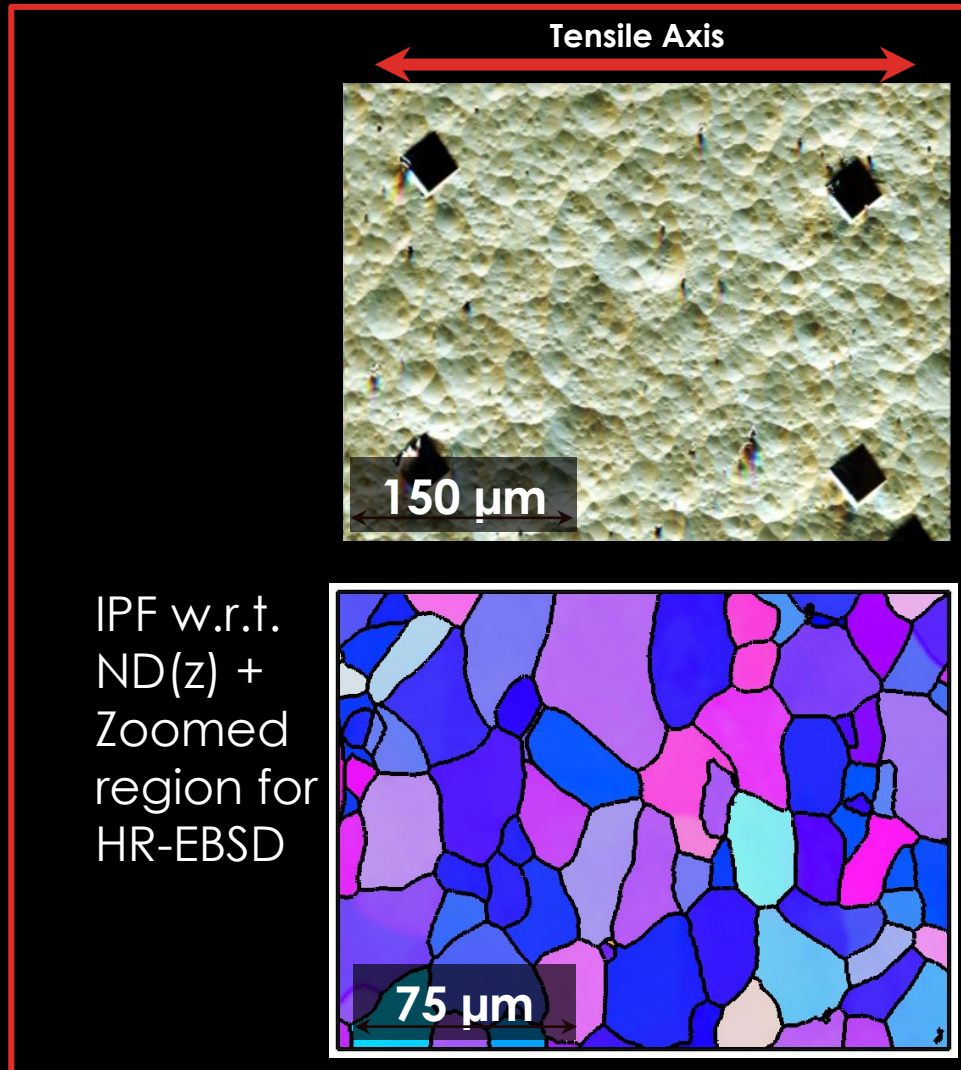
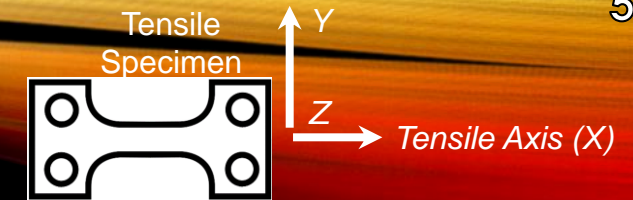


EBSD Detector

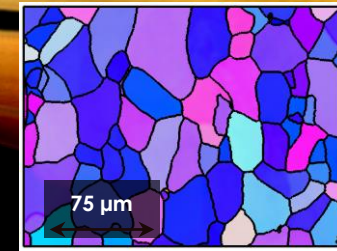
FSD Diodes:
Topographical
Contrast

FSE diodes image courtesy
of Daniel Gaily

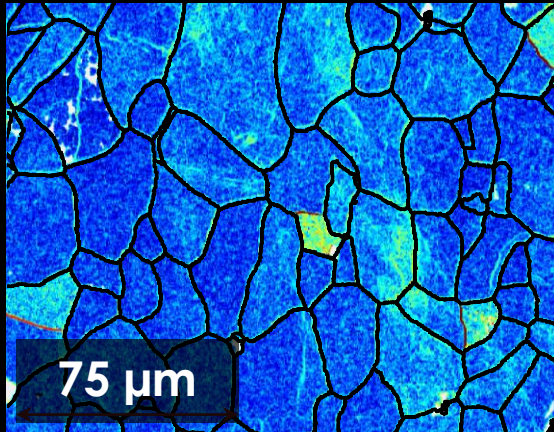
IN-SITU II: DIC



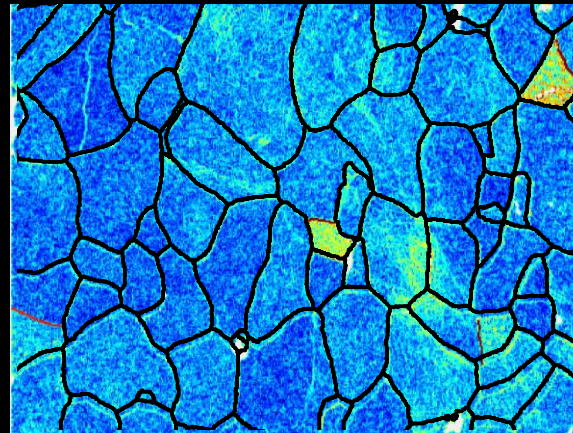
HR-EBSD RESULTS: GEOMETRICALLY NECESSARY DISLOCATIONS (GND) DENSITY



0% Strain

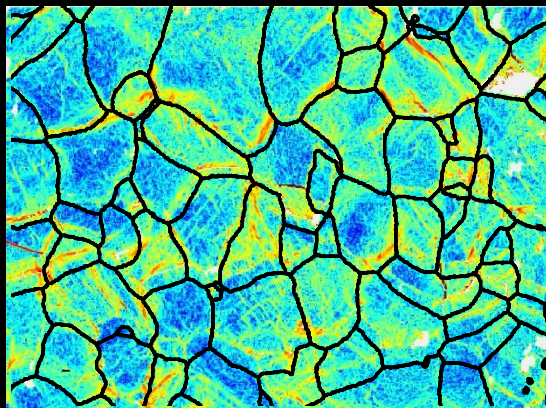


~0.1% Strain

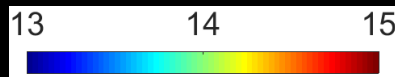
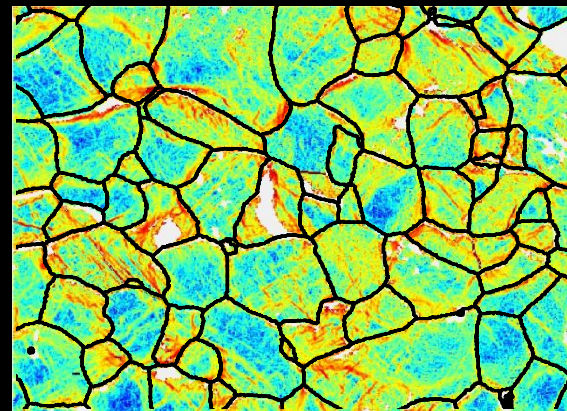


Tensile Axis

4% Strain



7% Strain

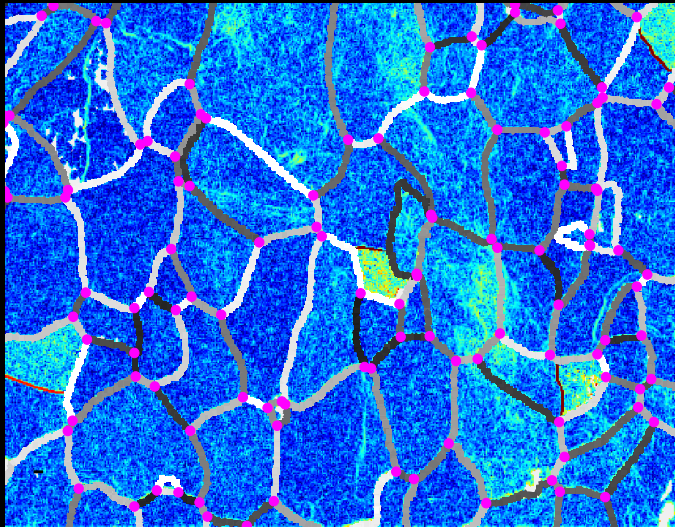


Log₁₀[GND Density (m⁻²)]

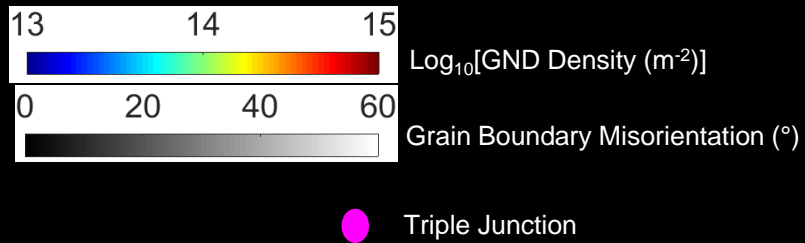
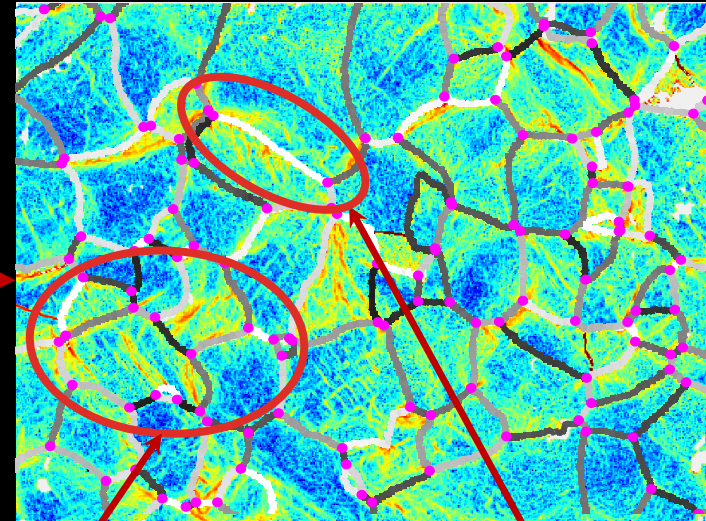
- Step Size: 0.4 μm
- ρ_{GND} increases with strain
- Heterogeneous ρ_{GND} field
- Intragranular bands of high ρ_{GND} at $\sim 45^\circ$ to the tensile axis. Maximum shear strain
- Challenge in identifying an EBSP per grain to act as a reference point
- **High ρ_{GND} at some grain boundaries**

GRAIN BOUNDARY MO & TRIPLE JUNCTIONS CORRELATIONS

0% Strain



4% Strain



High GND density in regions with high concentration of triple junctions

Development of high GND density at grain boundaries with high MO

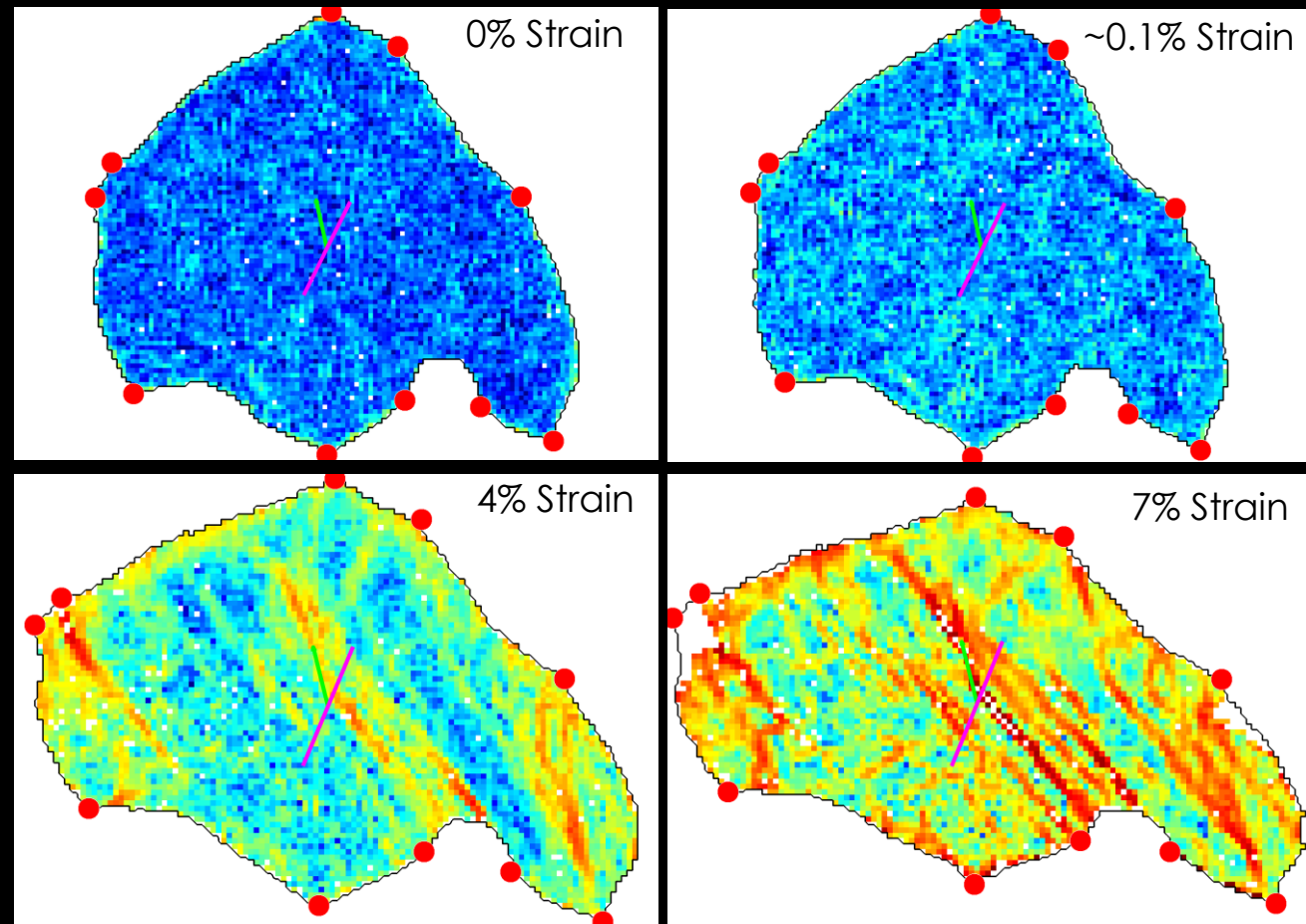
Can these supposed relationships be quantified?

GRAIN TRACKING – GND EVOLUTION

Does the GND network track with:

- (a) Crystal orientation,
- (b) Constraint \rightarrow GB or Triple Junction

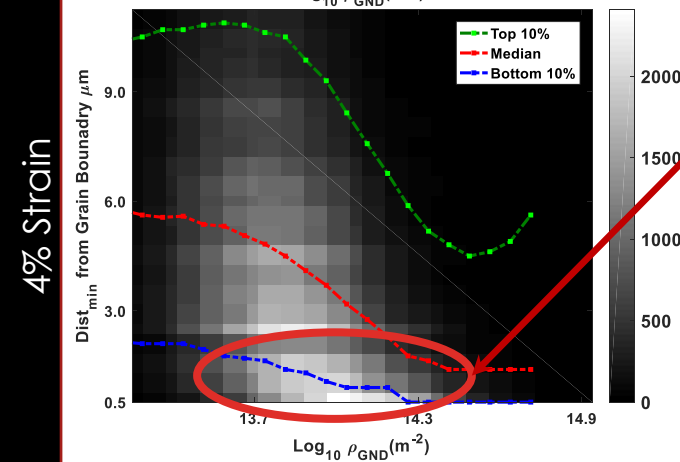
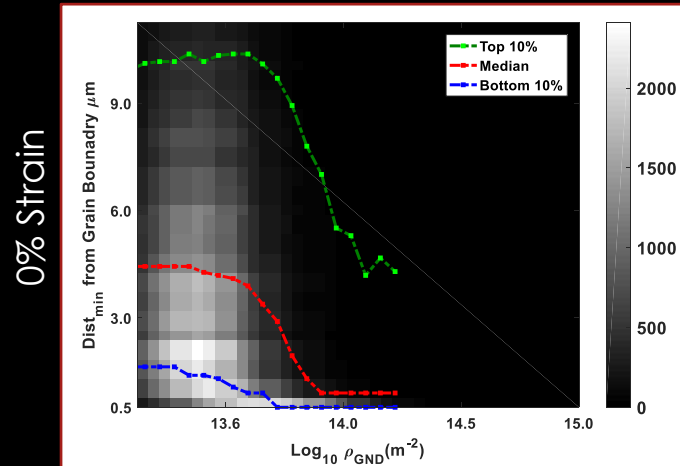
Can focus our analysis within a map...



GRAIN BOUNDARY CORRELATIONS

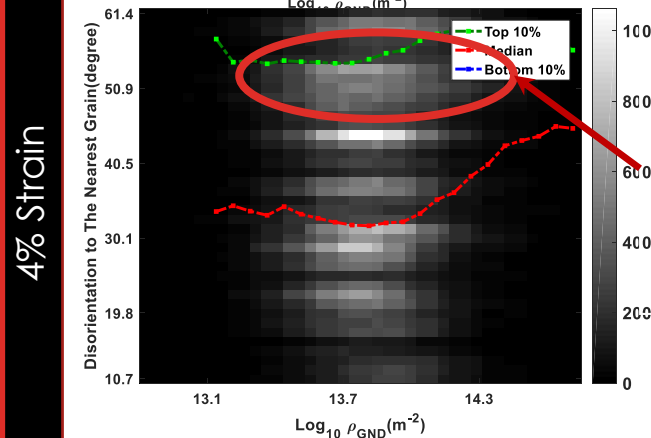
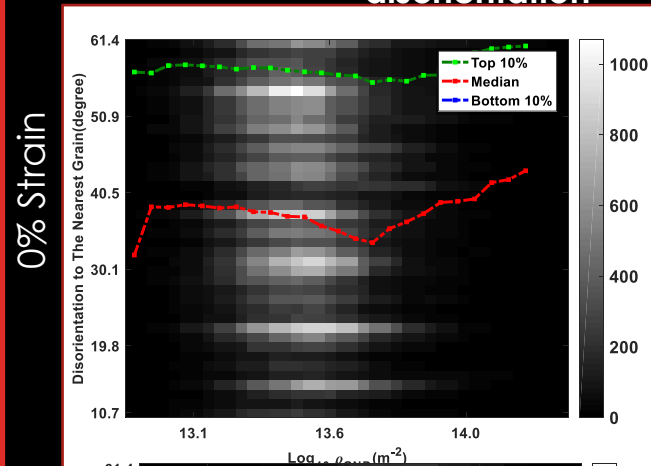
- Bin GND Data and calculate Euclidian distance from grain boundaries

GND histogram w.r.t. distance from grain boundary



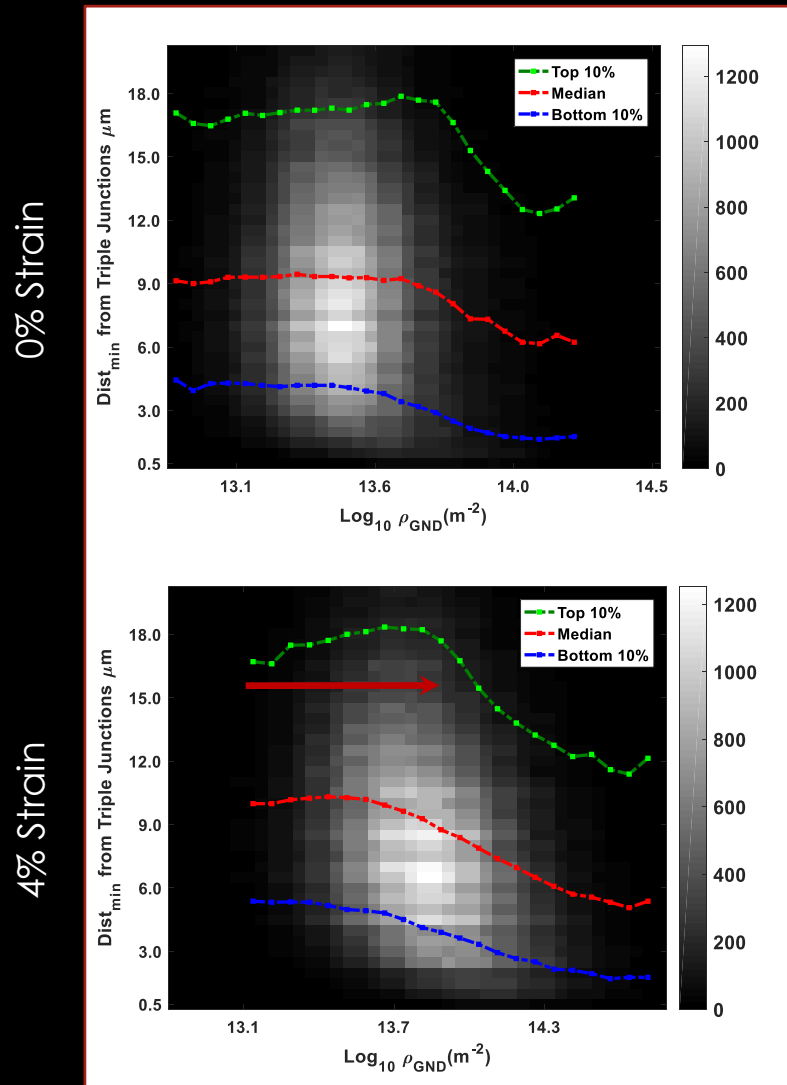
Higher
magnitude
GND closer
to grain
boundaries

GND histogram w.r.t. grain boundary
disorientation



Higher
magnitude
GND closer to
grain
boundaries
with higher
disorientation

TRIPLE JUNCTION CORRELATIONS



- Higher magnitude GND closer to triple junctions
- Despite texture of sample, distribution of GNDs appears to be determined by grain boundaries & triple junctions
- Sample texture does not appear to have a large effect on GND (when sample is pulled parallel to the initial plate TD)
- Cannot observe effect of carbides

IF STEEL SUMMARY

Observed the same field during deformation

Enables evolution of GND density (+more) to be correlated with microstructure

Quantitative assessment of correlative fields enables mechanistic insight

Correlate microstructure features & mix EBSD data to provide new information

ADVANCING EBSD ANALYSIS

EBSD data is a quantitative stepped measurement of the crystal shape, phase, and crystal orientation

Care with understanding what your data looks like, what it can tell you, and its accuracy + precision

HR-EBSD enables probing of the lattice strain variations & precise measurement of the stored GND density

For high quality analysis → use quantitative, data-based, analysis for your advantage

Often MTEX solutions will help but you can mix signals & perform new calculations if needed...

Build your analysis to probe a mechanisms (ha ha!)

**ELECTRON
MICROSCOPY
WITH
PLYMOUTH
UNIVERSITY**

RMS EBSD 2018

10th & 11th April

University of Plymouth, UK

Confirmed speakers:

- Sandra Piazzolo (Leeds)
- Paul Midgley (Cambridge)
- Mike Zolensky (NASA, Johnson)
- Ralf Hielscher (TU Chemnitz)



QUESTIONS?

